Detection of non coding RNAs by comparative sequence analysis

A mRNA model for RNAz

Stefan Washietl Institute for Theoretical Chemistry University of Vienna Bled, February 2006

The challenge of comparative genomics

Mouse ACTGCTGGGCCTGGACCAGGGGGGTGTGCTGTCGGGTACTGGGGGGGTG-CT Cow Dog ACTGCTGGGCCTGGACCAGGGGGTGTGCTGTCGGGTACTGGGGGGGTG-CT Rat Rhesus ACTGCTGGGCCTGGACCAGGGGGGTGTGCTGTCGGGGTACTGGGGGGGTG-CT Chimp ACTGCTGGGCCTGGACCAGGGGGTGTGTGCTGTCGGGTACTGGGGGGGTG-CT Human ACTGCTGGGCCTGGACCAGGGGGGTGTGCTGTCGGGTACTGGGGGGGTG-CT Elephant ACTGCTGGGCCTGTACTAGAGGGTGTGCTGTCGGGTACTGGGGGGGTG-CT Tenrec Armadillo ACTGCTGGG-CTGCATCAGGGGGTGTGCTGTCGGGTACTGGGGAGTG-CC Opossum ACTGCTGAGCTTGCACCAAATGATGCGCTGTCGGGTACTGAGGGGTG-CT Chicken ATTGCTGCGCCTGTACCAAGTGGTGCGCTGTGGGGGTACTGGGGGGCTG-CC Frog AGTGTTGGGCTTGCACCAAGTGATGTGCTGTAGGGTACTGGGCGTTA-CT Fugu ACTGTTGCGTCTGCACCAAGTGATGCGCTGTCGGGGAACTGTGGCGTG-GC Tetraodon ACTGCTGCGTCTGCACCAGGTGATGCGCTGTCGGGAACTGCGGCGTG-GC Zebrafish ATGGCTGCATGTGGCCCCAGATGAT----TGACAGATGATGTCAGATGTGT **

humar rabbit umadille chicken xenopus tetracdon zebrafish

The challenge of comparative genomics





- Protein coding?
- ncRNA?
- Regulatory or other functional element?

Outline

- Motivation
- Review of available methods
- A simple new scoring scheme
 - Shuffling
 - Exact
- Benchmark of some available and the new method
- Significance measure
- Currently only pairwise, ungapped global case without stop codons: Hofstadter's law

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It always takes longer than you expect, even when you take into account Hofstadter's Law

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90% of everything is crap

- Why a coding model in RNAz?
 - Get rid of the "false positives" in mRNAs
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- Why yet another protein gene finder: Sturgeon's law

90% of everything is crap

- Limitations of current coding potential detection approaches
 - Limited to pairwise alignments
 - Simplified models which do not include all available information
 - Ad hoc scores, poor statistics

Requirements

- Lightweight
- General
- Accurate
- Robust statistics
- Fast

Plenty of Protein gene finders

► Full featured gene prediction

- Genscan, Twinscan, N-Scan
- SLAM
- SGP2
- Exoniphy



Plenty of Protein gene finders

Full featured gene prediction

- Genscan, Twinscan, N-Scan
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- Detection of coding potential
 - ETOPE (Ka/Ks ratio test)
 - CSTfinder
 - CRITICA
 - QRNA



K_a/K_s ratio test

- 1. Count synonymous and non-synonymous **sites** in both sequences.
- 2. Count synonymous and non-synonymous differences
- Correct the observed differences and estimate the ratio of synonymous (K_s) and non-synonymous (K_a) substitutions per site:
- 4. $K_a/K_s < 1 \Rightarrow$ purifying evolution

Nei & Gojobori *Mol. Biol. Evol.* **3**:418 (1986), Nekrutenko *et al. Nucl. Acids. Res.* **31**:3564 (2003)

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- 4. $K_a/K_s < 1 \Rightarrow$ purifying evolution
- + Properly normalized score
- Only considers synonymous changes (no conservative changes)

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CRITICA

Scoring scheme based on theoretical considerations

- Positive score for synonymous substitutions
- Negative score for non-synonymous substitutions
- Also includes non-comperative score (di-nucleotide model)

Badger & Olsen Mol. Biol. Evol. 16:512 (1999)

CRITICA

Scoring scheme based on theoretical considerations

- Positive score for synonymous substitutions
- Negative score for non-synonymous substitutions
- Also includes non-comperative score (di-nucleotide model)
- + reasonable statistics
- Focused on bacteria, hard to use, no amino acid similarity

Badger & Olsen Mol. Biol. Evol. 16:512 (1999)

CSTfinder

- Scans blast hits of ESTs for coding potential
- Defines Coding potential score:

$$CPS = (rac{100}{N})(rac{N_S+1}{N_A+1})\sum_{i=1}^N s(c_i^A,c_i^B)$$

 $\begin{array}{cccc} N & \dots & \text{number of codon pairs} \\ N_S, N_A & \dots & \text{number of synonymous, non-synonymous pairs} \\ c_i^A & \dots & \text{codon number } i \text{ in sequence } A \\ s(c_i^A, c_i^B) & \dots & \text{similarity of encoded amino acids} \end{array}$

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- + considers amino acid similarity
- as ad hoc as it can be, no normalization, "Vaporware"

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QRNA

▶ 3 pair hidden Markov models/SCFGs: Coding, RNA, other

 $P^{COD}(a_1a_2a_3, b_1b_2b_3) \approx P(a_1a_2a_3|A)P(b_1b_2b_3|B)P(A, B)$ $a, b \in \mathcal{A} = \{A, G, C, T\}, A, B \in \{amino \ acids\}$

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 $P(COD|\text{alignment}) = \frac{P(\text{alignment}|\text{COD})P(\text{COD})}{\sum_{\text{Models}} P(\text{alignment}|\text{Model})P(\text{Model})}$ $\text{Score} = \frac{P(\text{COD}|\text{alignment})}{P(\text{OTH}|\text{alignment})}$

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- + considers amino acid similarity, elegant solution, can deal with frameshifts and local search
- no P value, independence assumption of codons and amino acids

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A simple pairwise similarity score Definitions

Alignment \overline{AB} of sequence A and B:

$$A: c_1^A c_2^A \dots c_n^A B: c_1^B c_2^B \dots c_n^B$$

- L ... length in codons $f_{\{A,G,C,T\}}$... background frequency of nucleotides ID ... pairwise identity $d(c^A, c^B)$... Hamming distance of two codons (e.g. d(AGC, AGT) = 1) $s(c^A, c^B)$... similarity of encoded amino acids (e.g. BLOSUM Matrix)

A simple pairwise similarity score

Normalizing with shuffling

Unnormalized score

$$\widetilde{S}_{\overline{AB}} = \sum_{\substack{i=1 \ d(c_i^A, c_i^B) > 0}}^L s(c_i^A c_i^B)$$

► Shuffle columns: *AB*_{random}

$$S_{\overline{AB}} = \widetilde{S}_{\overline{AB}} - \widetilde{S}_{\overline{AB}_{random}}$$

A simple pairwise similarity score

Exact normalization

Calculate the *expected* score for pairs with 1,2 and 3 differences. e.g.:

$$\langle s_{d=1} \rangle = \frac{N^{\text{comb}}}{N_{d=1}^{\text{comb}}} \sum_{\substack{a,b,c,d,e,f \in \mathcal{A} \\ d(abc,def) = 1}} s(c_{abc}, c_{def}) \prod_{i=a,b,c,d,e,f} f_i$$

Correct each observed score by the expected score

$$S_{\overline{AB}} = \sum_{\substack{i=1 \ d(c_i^A, c_i^B) > 0}}^{L} s(c_i^A c_i^B) - \langle s_{d=d(c_i^A, c_i^B)}
angle$$

Test Set

- UCSC Multiz alignments (13-way)
- Extract mouse RefSeq genes from chromosome 1 and 10
- Take only "correct" genes which start with M and have exactly one stop codon on the last position.
- Select slices of different length (50–150 nts) and pairwise identity (60%–100%)
- ► Random control: Shuffle sequences, remove stop codons
- $\Rightarrow \approx$ 7000 positive and negative examples

Score distribution of native and random alignments

▶ *L* = 150 nts



Comparison of methods (ROCs)



Comparison of methods (ROCs)



Dependence of length and sequence divergence



Estimating statistical significance

Calculate the mean and variance of all sequences for a given (expected) base composition and pairwise identity. Assume normal distribution and calculate the P value.

$$\langle S \rangle_{ID,L} = L \sum_{a,b,c,d,e,f \in \mathcal{A}} s(c_{abc}, c_{def}) \prod_{i=a..f} (f_i) m_{d(abc,def)} \frac{N^{\text{comb}}}{N^{\text{comb}}_{d=d(abc,def)}}$$

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$$m_{d=0} = ID^{3}$$

$$m_{d=1} = ID^{2}(1 - ID) \cdot 3$$

$$m_{d=2} = ID(1 - ID)^{2} \cdot 3$$

$$m_{d=3} = (1 - ID)^{3}$$

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$$var(s)_{ID,L} = \sum_{a,b,c,d,e,f \in \mathcal{A}} (s(c_{abc}, c_{def})^2 K) - M^2$$

Sampled vs. calculated scores



▶ 10,000 alignments sampled with Markov method (black bars)

Sampled vs. calculated scores



- ▶ 10,000 alignments sampled with Markov method (black bars)
- Calculated distribution (red line)

Conclusions and outlook

- Comparative detection of coding potential is a useful feature
- Available methods are not perfect
- Considering amino acid similarity significantly improves accuracy compared to simply counting synonymous substitutions
- A simple and properly normalized score outperforms any other tested methods.
- ► The score allows direct calculation of a *P*-Value.

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- Comparative detection of coding potential is a useful feature
- Available methods are not perfect
- Considering amino acid similarity significantly improves accuracy compared to simply counting synonymous substitutions
- A simple and properly normalized score outperforms any other tested methods.
- The score allows direct calculation of a P-Value.
- Include
 - stop codons
 - gaps (frameshifts)
 - local search?

Extension to multiple alignments