# RNAscClust – clustering RNAs using structure conservation and graph-based motifs

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GraphClust [Heyne et al., Bioinformatics, 2012]:

- Clusters ncRNA sequences
- Can find paralogs belonging to same ncRNA class
- Features based on local sequence and structure

# Clustering ncRNA sequences using structure conservation





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RNAscClust:

- Clusters paralogous RNA sequences structurally aligned to their orthologs
- Extends GraphClust approach:

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RNAscClust:

- Clusters paralogous RNA sequences structurally aligned to their orthologs
- Extends GraphClust approach:
  ⇒ Derives evolutionary conserved sequence and secondary structure

# Single sequence vs alignment clustering



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# Identifying similarities of secondary structures

Neighborhood Subgraph Pairwise Distance (NSPD) Graph Kernel [Costa and De Grave, Proceedings ICML 10, 2010]



- intuitively: structure k-mers
- ncRNAs highly similar if many shared substructures

# Measuring structure similarity of multiple alignments



base pair reliabilities

constraints

PETfold

[Seemann et al., NAR, 2008]

# Measuring structure similarity of multiple alignments



 $\rightarrow$  use NSPD Graph Kernel to compare alignments

# RNAscClust pipeline: From input alignments to clustering



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Ideal clustering groups only subalignments from same Rfam family

# Comparing sequence to alignment clustering



#### Low covariation in the benchmark data set

Benchmark set has high Average Pairwise Sequence Identity (APSI) in alignments





### Low covariation in the benchmark data set

Benchmark set has high Average Pairwise Sequence Identity (APSI) in alignments





 $\rightarrow$  limit APSI to study effect of covariation on clustering performance

# Benchmark sets with different degrees of covariation

#### Create 2 additional benchmark data set with controlled APSI in alignments



0.64 mean APSI 26 families 166 alignments



0.49 mean APSI 10 families 92 alignments

- Homogeneity H: each cluster contains only members of a single family
- Completeness C: all members of a given family are in same cluster
- V-measure [Rosenberg and Hirschberg, 2007] is harmonic mean of H and C:

$$V = \frac{2 \cdot H \cdot C}{H + C}$$

- a = #object pairs from same family assigned to same cluster
- b = #object pairs from different families assigned to different clusters
- *n* = number of alignments

Rand Index = 
$$\frac{a+b}{\binom{n}{2}}$$

• Adjusted Rand Index [Hubert and Arabie, 1985] is Rand Index [Rand, 1971] adjusted for chance

### More covariation improves RNAscClust performance



- Leverage conserved sec. structure derived from multiple alignments
- NSPD Graph Kernel as similarity measure
- Improved clustering compared to GraphClust

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Next step:

• Genome-scale clustering of potential ncRNAs

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- Stefan Seemann
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Thank you for your attention!

# Identifying similarities of secondary structures

Neighborhood Subgraph Pairwise Distance (NSPD) Kernel used in GraphClust [Heyne et al., Bioinformatics, 2012]



- ullet pprox structure k-mers
- ncRNAs highly similar if many shared substructures

# RNAscClust full pipeline



Steps executed in parallel are shown as stacks

#### V-measure

Clusters  $K = \{K_1, \ldots, K_m\}$ ; true classes  $C = \{C_1, \ldots, C_n\}$ . Homogeneity h is defined as:

$$h = \begin{cases} 1 & \text{if } H(C|K) = 0\\ 1 - \frac{H(C|K)}{H(C)} & \text{else} \end{cases}$$

H(C|K) is the conditional entropy of the classes given the clustering and H(C) is the entropy of the classes, i.e.,

$$H(C|K) = -\sum_{k=1}^{|K|} \sum_{c=1}^{|C|} \frac{a_{ck}}{N} \log \frac{a_{ck}}{\sum_{c=1}^{|C|} a_{ck}}$$
$$H(C) = -\sum_{c=1}^{|C|} \frac{\sum_{k=1}^{|K|} a_{ck}}{n} \log \frac{\sum_{k=1}^{|K|} a_{ck}}{n}$$

#### V-measure

Clusters  $K = \{K_1, \ldots, K_m\}$ ; true classes  $C = \{C_1, \ldots, C_n\}$ . On the other hand, completeness *c* is defined as:

$$c = egin{cases} 1 & ext{if } H(K|C) = 0 \ 1 - rac{H(K|C)}{H(K)} & ext{else} \end{cases}$$

where H(K|C) is the conditional entropy of the clustering given the classes and H(K) is the entropy of the clustering, i.e.,

$$H(K|C) = -\sum_{c=1}^{|C|} \sum_{k=1}^{|K|} \frac{a_{ck}}{N} \log \frac{a_{ck}}{\sum_{k=1}^{|K|} a_{ck}}$$
$$H(K) = -\sum_{k=1}^{|K|} \frac{\sum_{c=1}^{|C|} a_{ck}}{n} \log \frac{\sum_{c=1}^{|C|} a_{ck}}{n}$$

V-measure is harmonic mean of homogeneity and completeness and is not normalized wrt. random labeling. 0.0 is as bad as it can be, 1.0 is perfect. 19/15 Split each Rfam 12 family seed alignment into subalignments. *Similar* sequences from *different* species form a subalignment.



Human Chimp

Mouse Pig

1) Each sequence in the alignment is represented as a node in a graph.



2) Remove sequences with pairwise sequence identify (PSI) > 0.95.



3) Add edge between sequences from diff. species with  $PSI \in (0.9, 0.95]$ .



4) Search for cliques in graph.



5) Add clique with max. APSI as subalignment to benchmark data set.



6) Add edge between sequences from diff. species with  $PSI \in (0.8, 0.9]$ .



7) Add clique as subalignment to benchmark data set.



8) Add edge between sequences from diff. species with  $PSI \in (0.7, 0.8]$ .



Family subalignments (Cliques)

