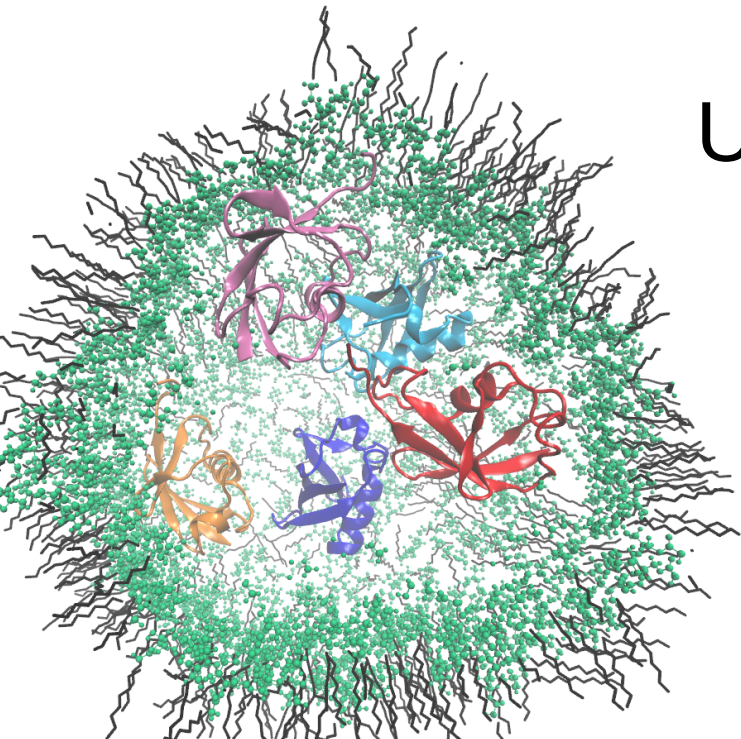


Computational Spectroscopy of Reverse Micelles

Philipp Honegger

Department of Computational Biological Chemistry

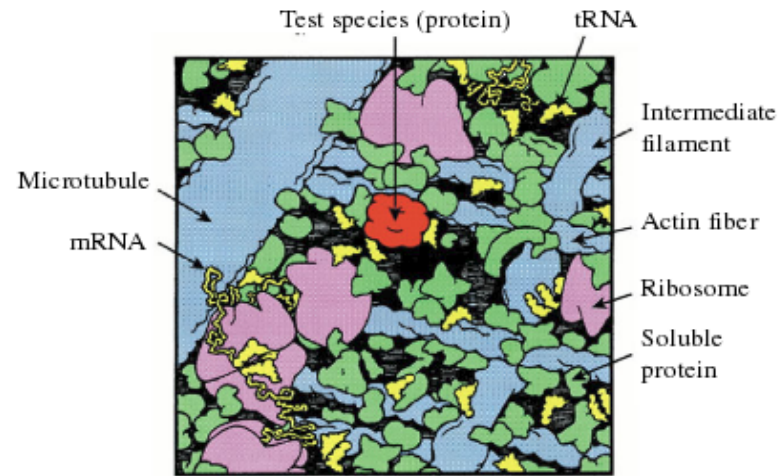
University of Vienna



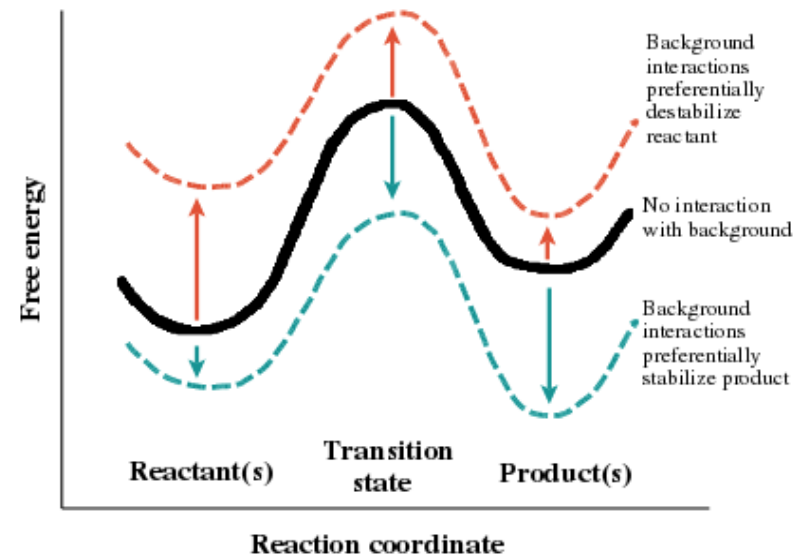
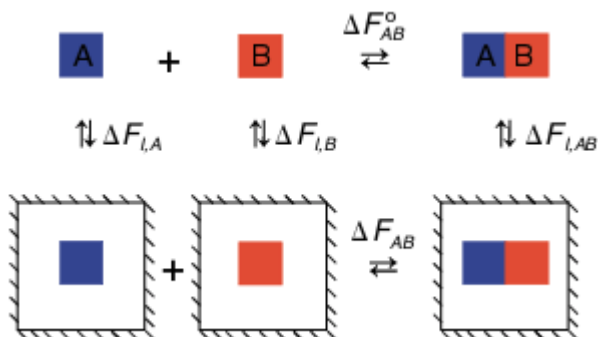
universität
wien

Crowding and encapsulation

- Chemical environment of an actual cell differs from that of a diluted buffer



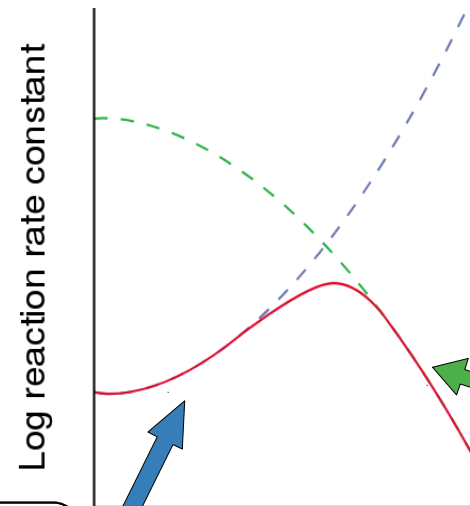
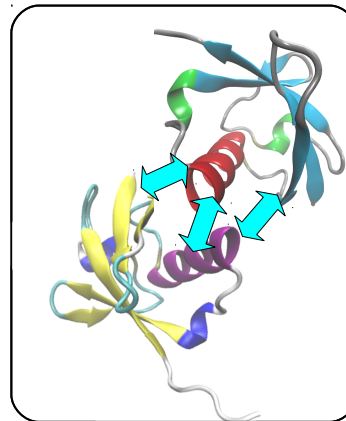
- Impacts both thermodynamic equilibria and kinetic reaction rates



Macromolecular confinement

- Impact on:
 - Molecular mobility
 - Folding rates
 - Aggregation behaviour
 - Biomolecular equilibria
 - Reaction rates
 - ...

activating interactions



diffusion limitation

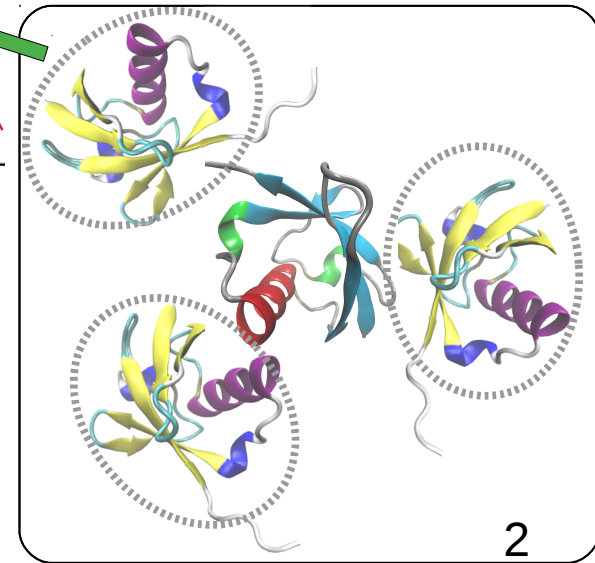
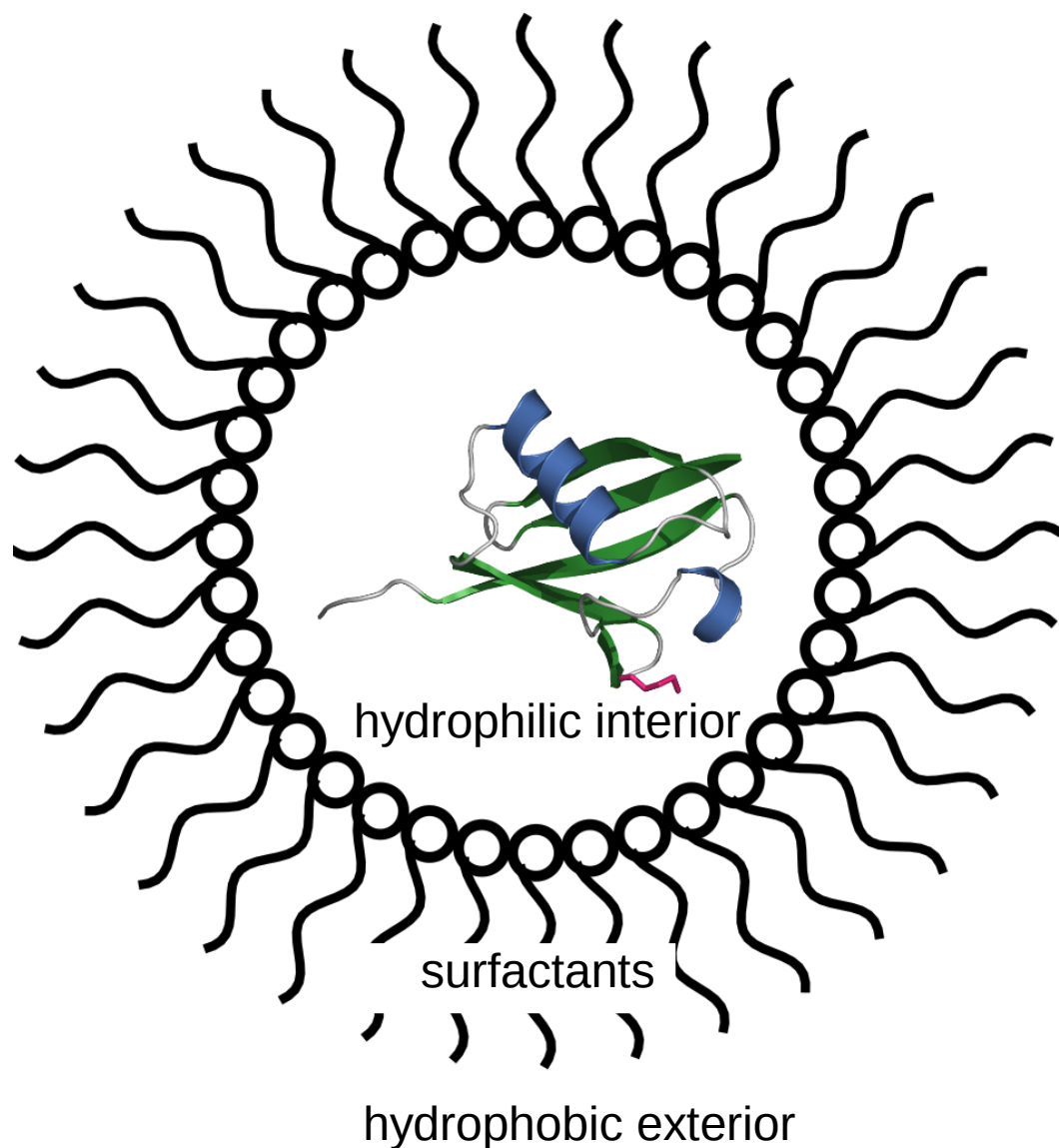
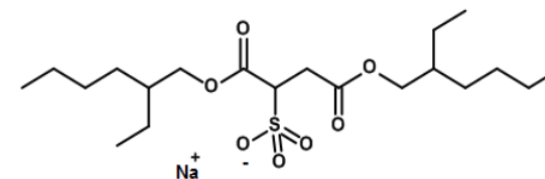


Diagram taken from R. John Ellis,
Trends Biochem. Sci. 2001,
26, 2863-2869

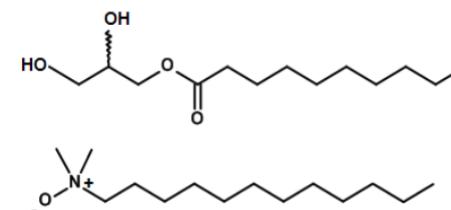
Reverse micelles as cell mimics



Example surfactant molecules:



bis(2-ethylhexyl)-sulfosuccinate
(aerosol-OT, AOT)



65 1-decanoyl-rac-glycerol (DMAG) / 35
lauryldimethylamine-N-oxide (LDAO)

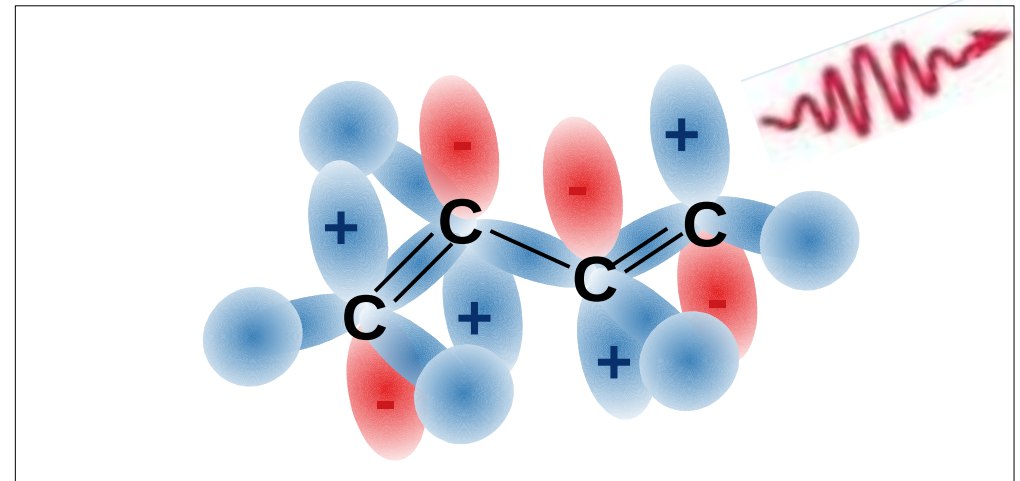
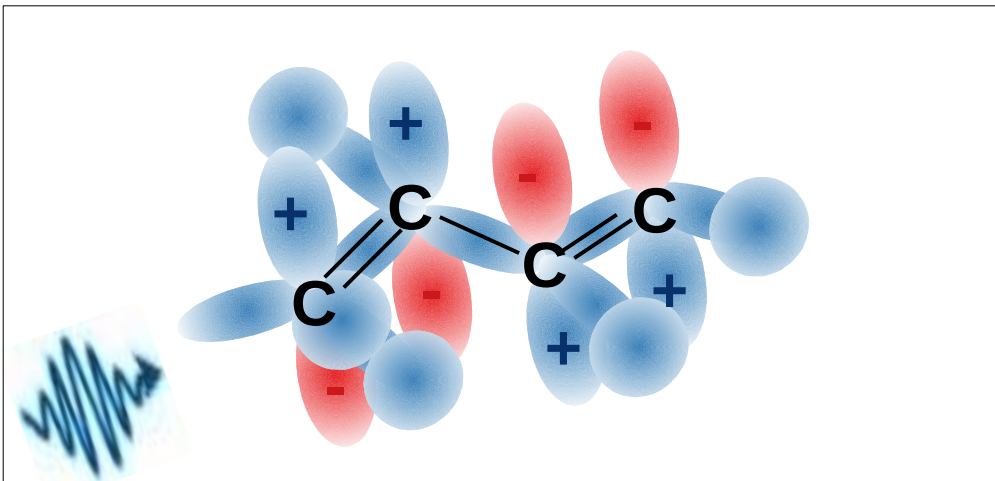
Spectroscopy: A molecule-level microscope

The umbrella term spectroscopy encompasses various kinds of measurements of the interaction between matter and electromagnetic waves.

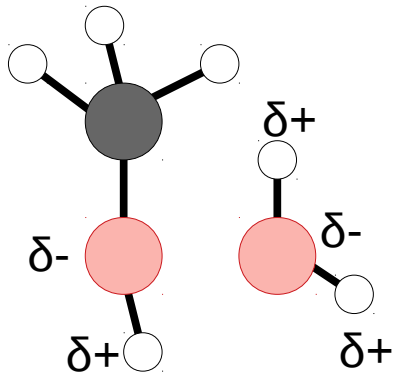
Depending on the latter's frequency, different constituents of physical matter will resonate with the incoming radiation.



M. Schmollngruber



Molecular Dynamics (MD) Simulations

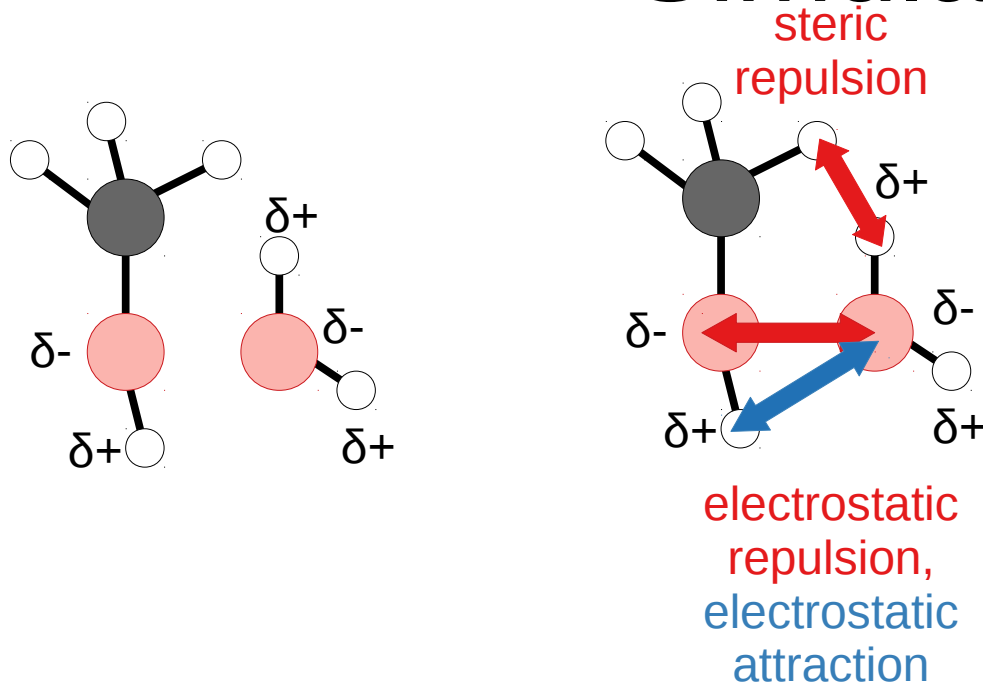


time step t

Atom count n
Atom positions $r(n,x,y,z,t)$
Atomic masses $m(n)$
Atomic charges $q(n)$
Nonbonded parameters
Bonds, Angles, Dihedrals

→ **evaluate potentials**

Molecular Dynamics (MD) Simulations



time step t

Atom count n
Atom positions $r(n,x,y,z,t)$
Atomic masses $m(n)$
Atomic charges $q(n)$
Nonbonded parameters
Bonds, Angles, Dihedrals

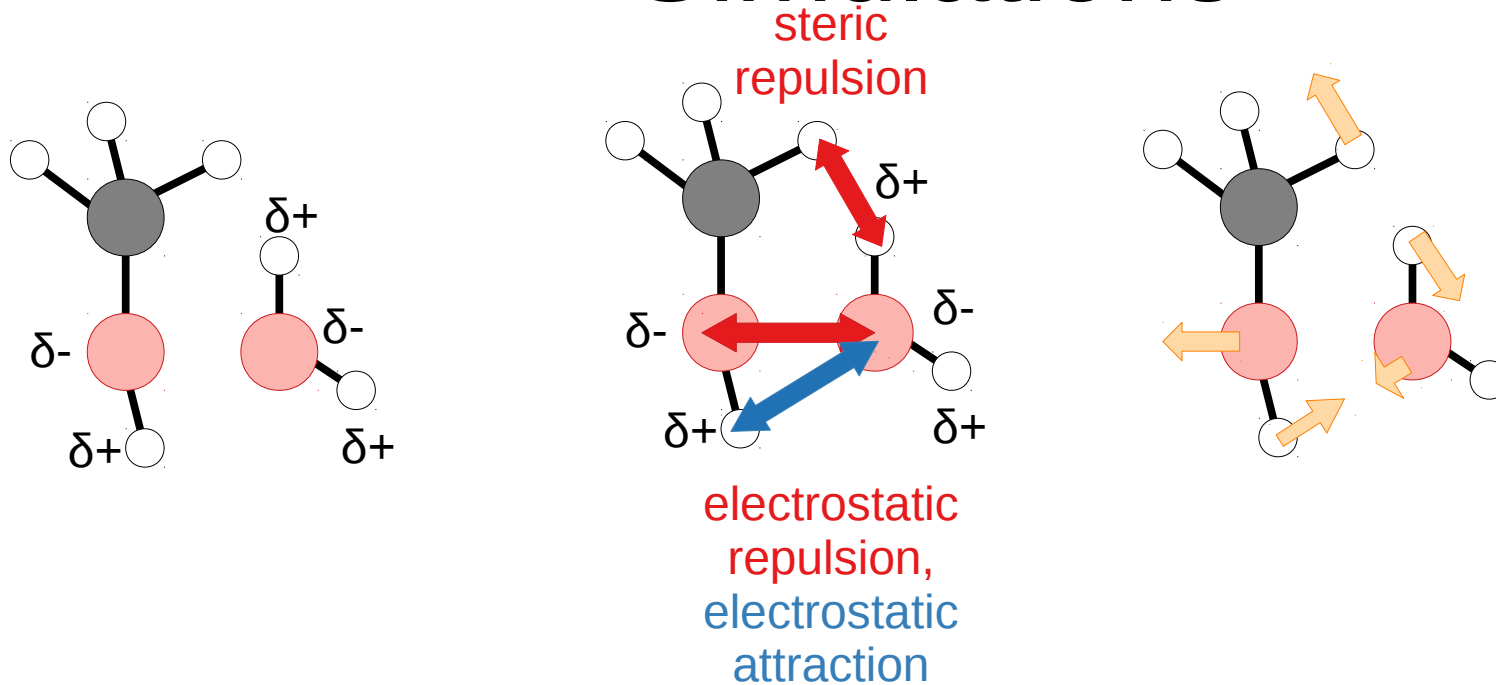
→ **evaluate potentials**

potential function $V(n)$

Calculate the atomic forces as the negative gradient of the potential

→ **calculate forces**

Molecular Dynamics (MD) Simulations



time step t

Atom count n
 Atom positions $\mathbf{r}(n,x,y,z,t)$
 Atomic masses $m(n)$
 Atomic charges $q(n)$
 Nonbonded parameters
 Bonds, Angles, Dihedrals
 → **evaluate potentials**

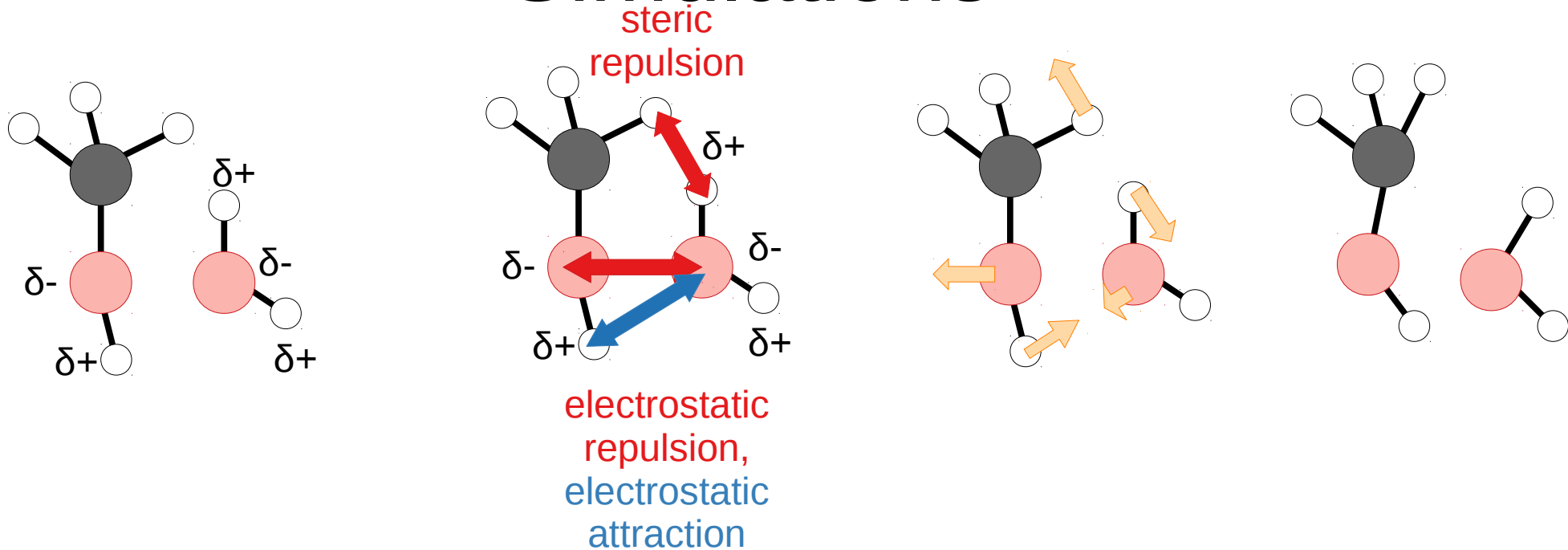
potential function $V(n)$

Calculate the atomic forces as the negative gradient of the potential
 → **calculate forces**

forces $\mathbf{f}(n,x,y,z,t)$

Integrate the equations of motion to get the new atomic positions
 → **calculate**
 $\mathbf{r}(n,x,y,z,t+1)$

Molecular Dynamics (MD) Simulations



time step t

Atom count n
 Atom positions $\mathbf{r}(n,x,y,z,t)$
 Atomic masses $m(n)$
 Atomic charges $q(n)$
 Nonbonded parameters
 Bonds, Angles, Dihedrals
 → **evaluate potentials**

potential function $V(n)$

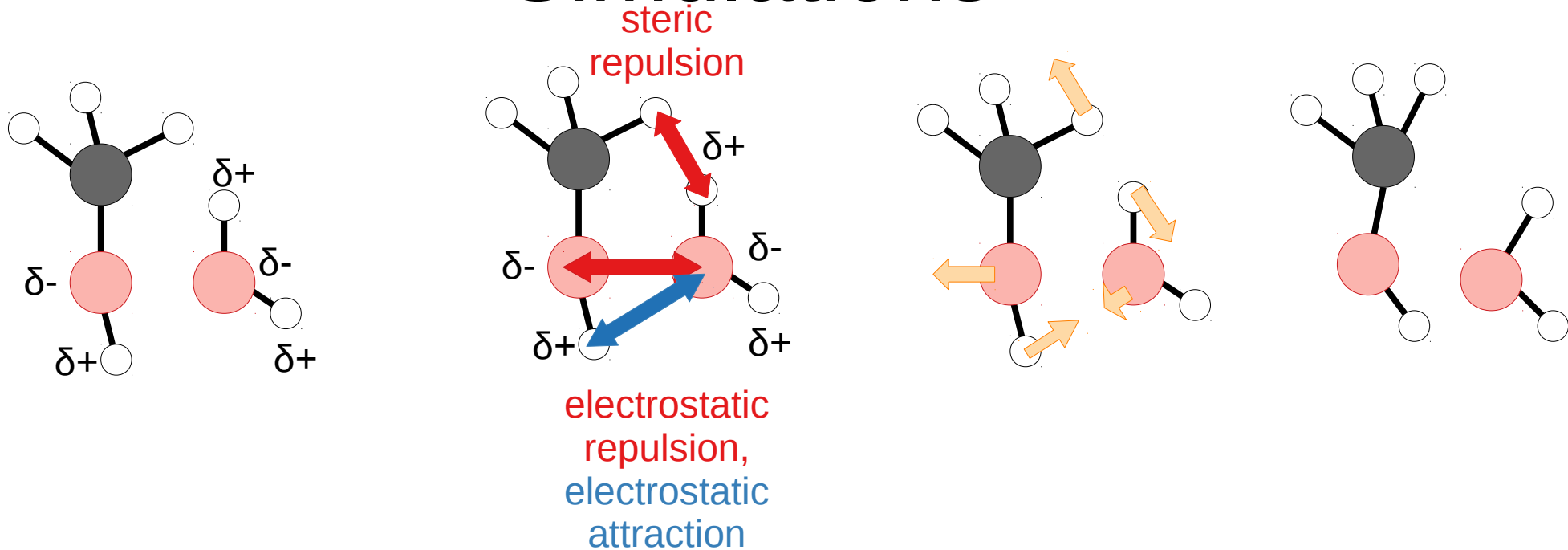
Calculate the atomic forces as the negative gradient of the potential
 → **calculate forces**

forces $\mathbf{f}(n,x,y,z,t)$

Integrate the equations of motion to get the new atomic positions
 → **calculate**
 $\mathbf{r}(n,x,y,z,t+1)$

time step $t+1$

Molecular Dynamics (MD) Simulations



time step t

Atom count n
 Atom positions $r(n,x,y,z,t)$
 Atomic masses $m(n)$
 Atomic charges $q(n)$
 Nonbonded parameters
 Bonds, Angles, Dihedrals
 → **evaluate potentials**

potential function $V(n)$

Calculate the atomic forces as the negative gradient of the potential
 → **calculate forces**

forces $f(n,x,y,z,t)$

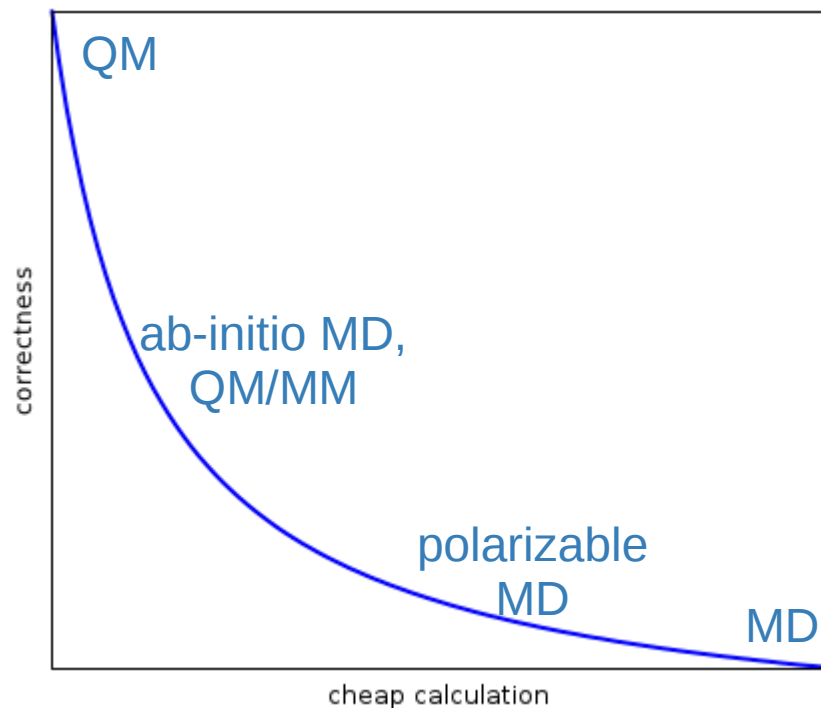
Integrate the equations of motion to get the new atomic positions
 → **calculate**
 $r(n,x,y,z,t+1)$

time step $t+1$

Iterate this t_{\max} times to obtain the trajectory:
 $r(n,x,y,z,t)$
 $v(n,x,y,z,t)$

Why MD simulations?

... and not Quantum Mechanics (QM)?



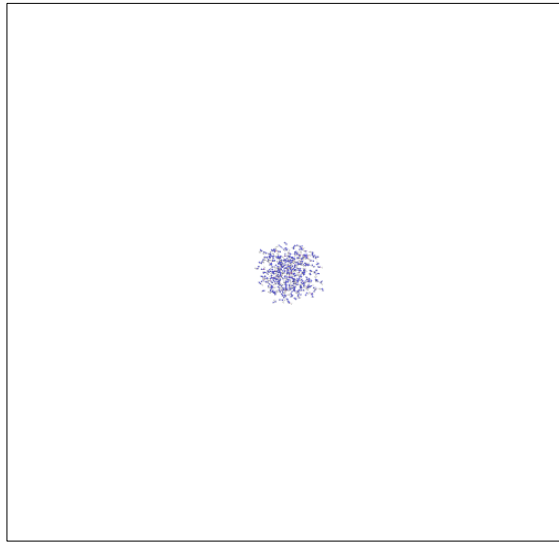
“The only way to calculate spectroscopic observables correctly is to use QM”

Why Molecular Dynamics Simulations?

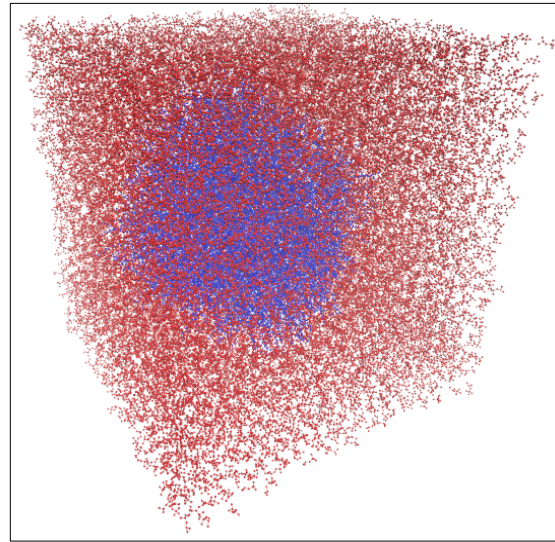
- QM is size-limited, hence limited to some classes of matter.

Soft matter systems:

- Condensed like solids
- Dynamics like fluids
- Complicated dynamics with manifold processes



Manageable with QM:
~768 atoms



Our system size:
~119,655 atoms

Why Molecular Dynamics Simulations?

- QM is size-limited, hence not always applicable

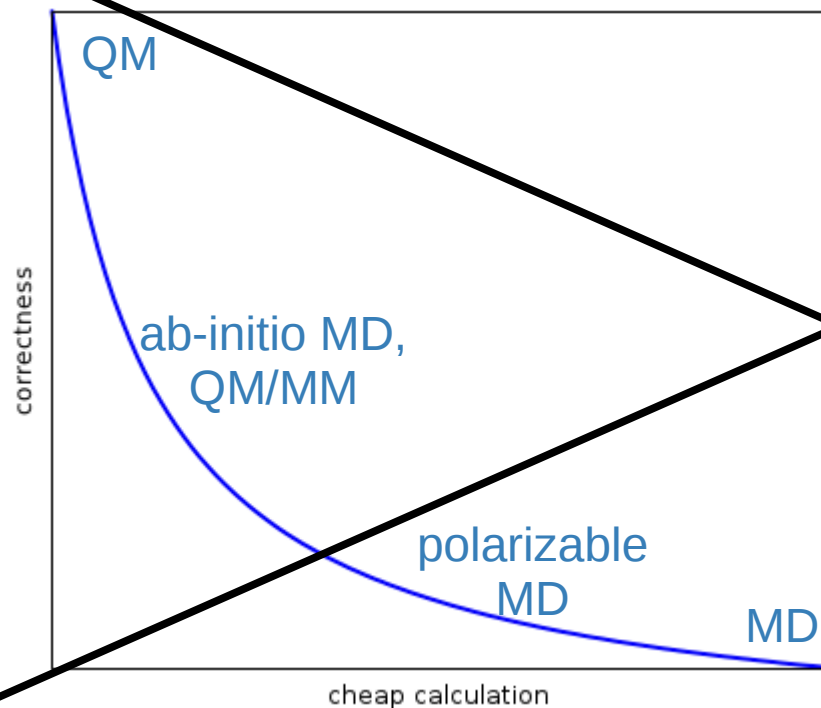
Soft matter systems:

- Condensed like solids
 - Dynamics like fluids
 - Complicated dynamics with manifold processes
- QM not always better at reproducing observables than MD!

QM bound to fail if the statistic stability of an observable

- Requires many time frames
- Requires many particles
- Requires large spatial extension (boundary conditions)

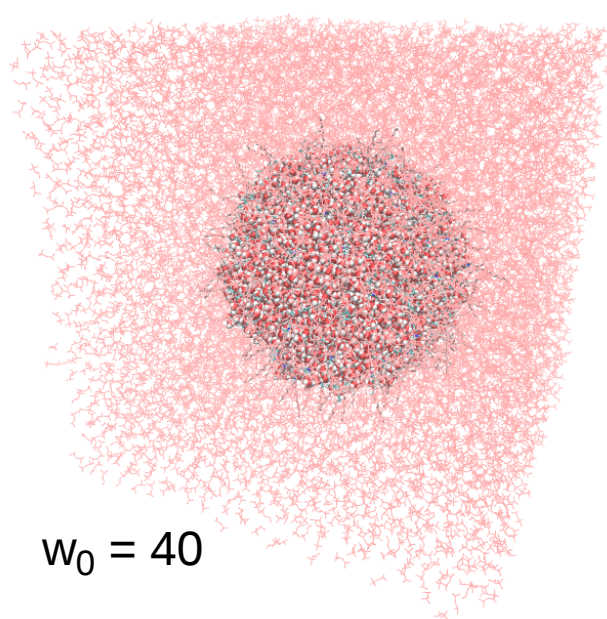
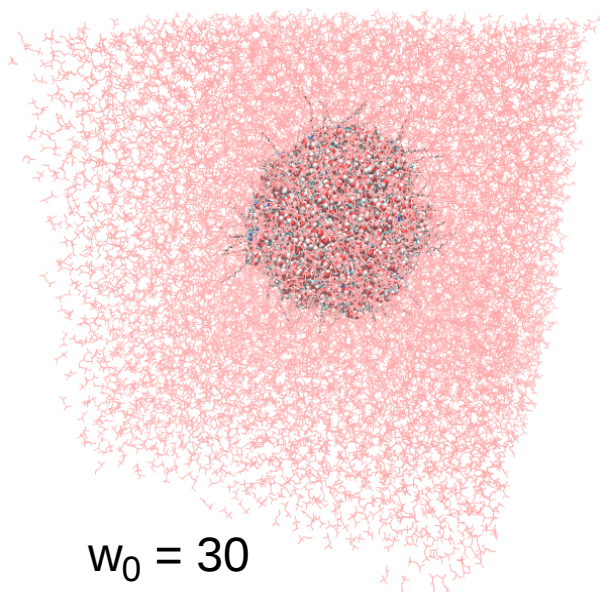
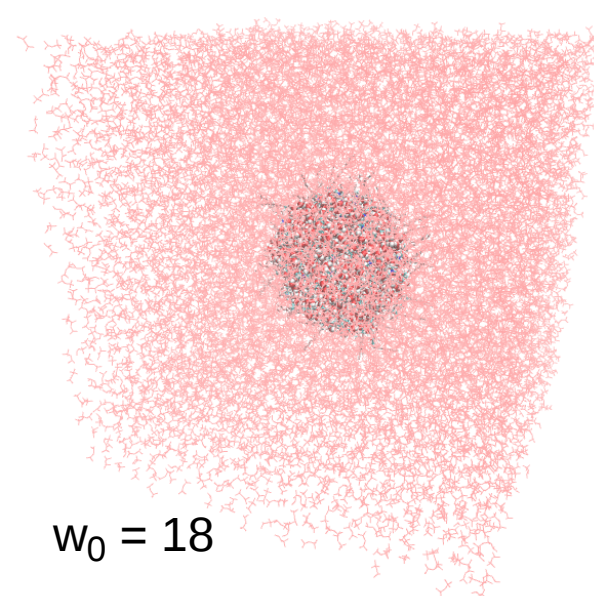
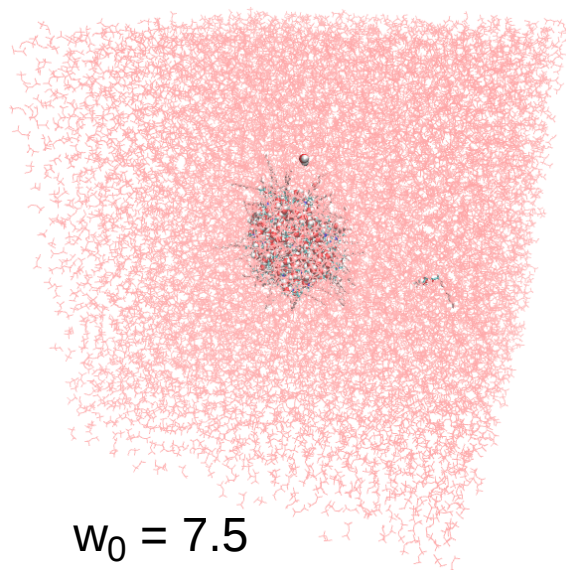
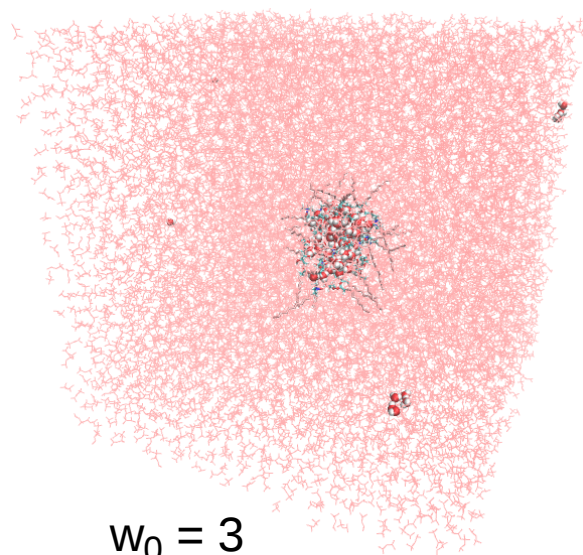
Why MD simulations?



“The only way to calculate spectroscopic observables correctly is to use QM”

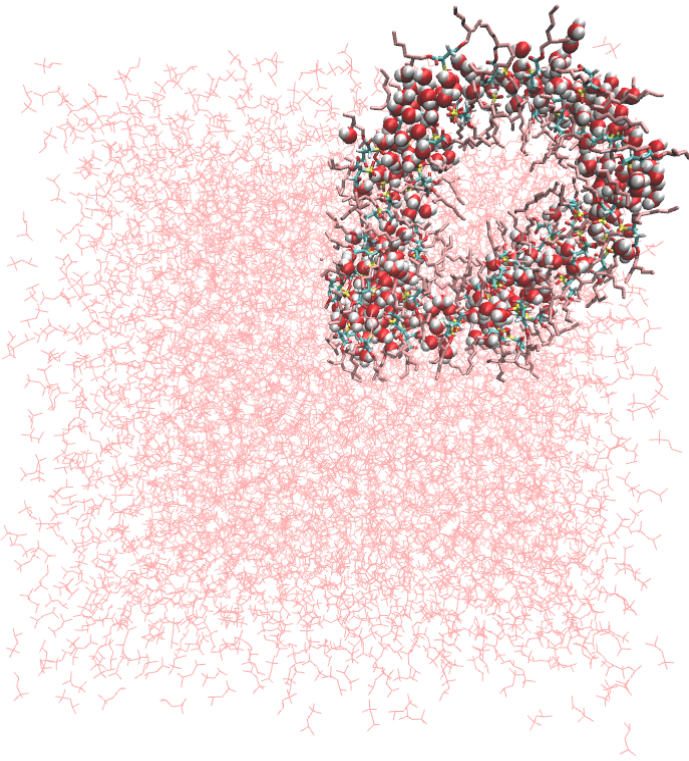
→ **Use the right tool for the right job!**

MD simulations of reverse micelles

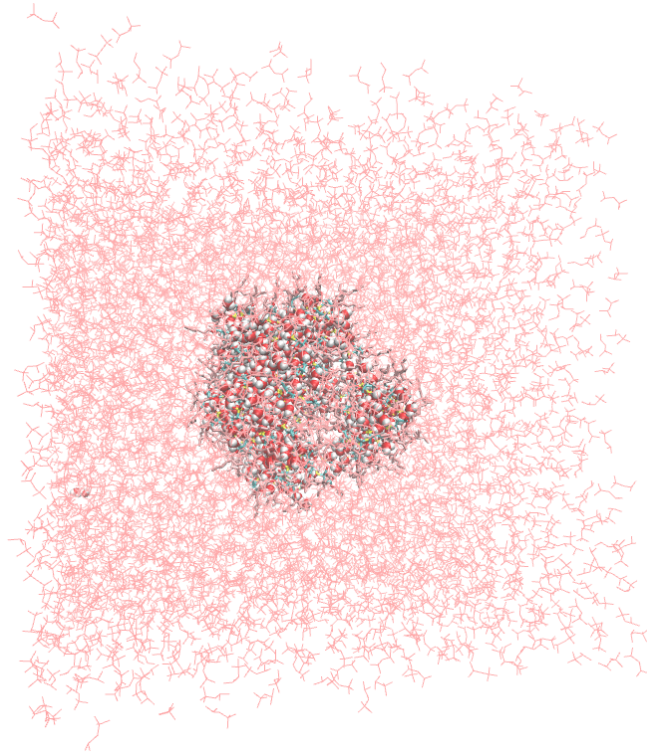


$$w_0 = [\text{H}_2\text{O}]/[\text{surfactant}]$$
$$= N(\text{H}_2\text{O})/N(\text{surfactant})$$

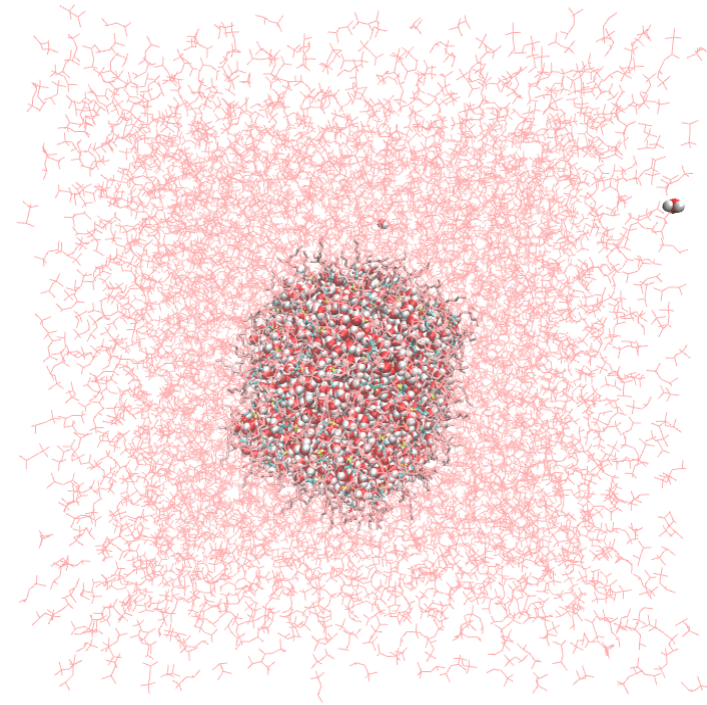
MD simulations of reverse micelles



$w_0 = 3$

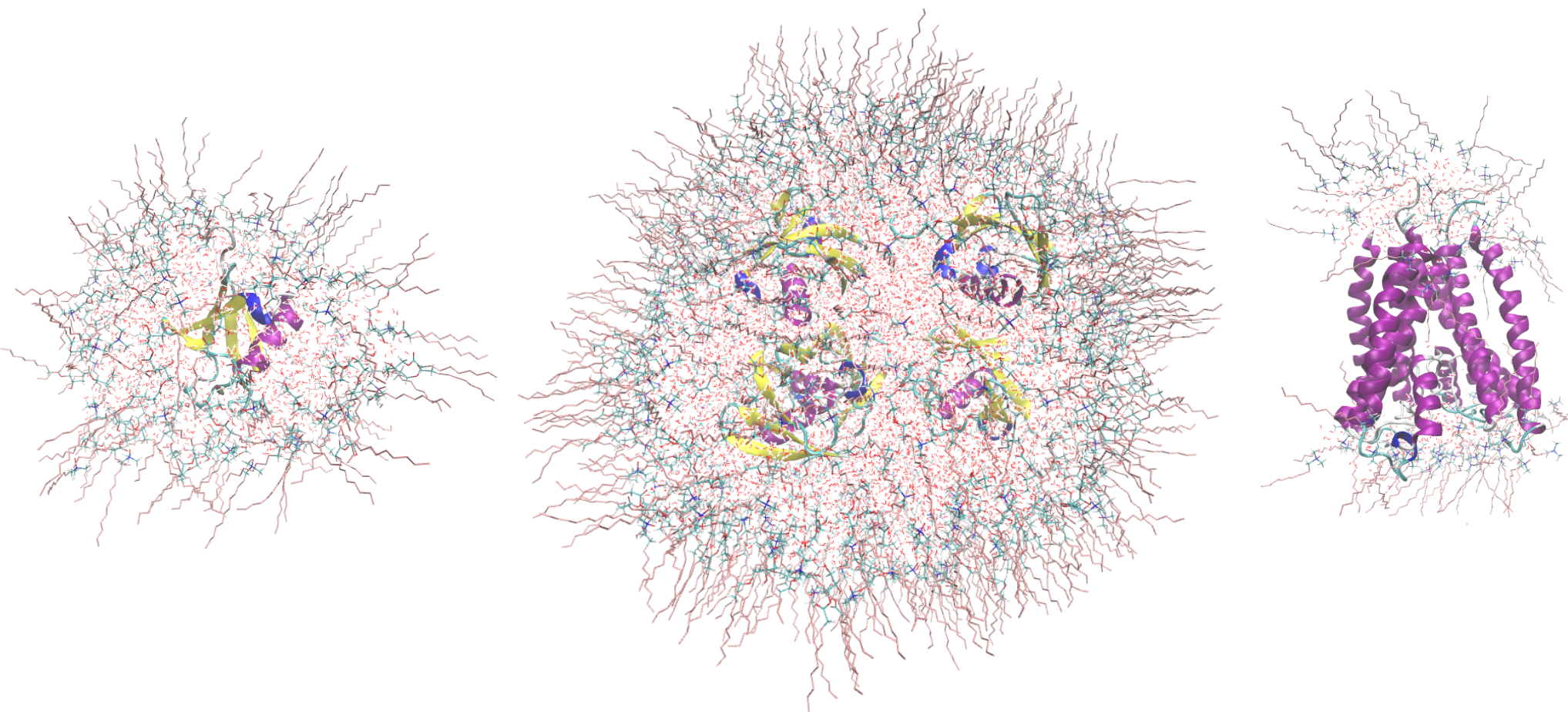


$w_0 = 7.5$



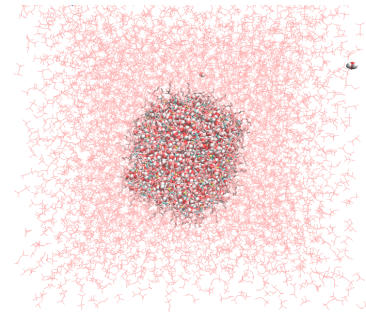
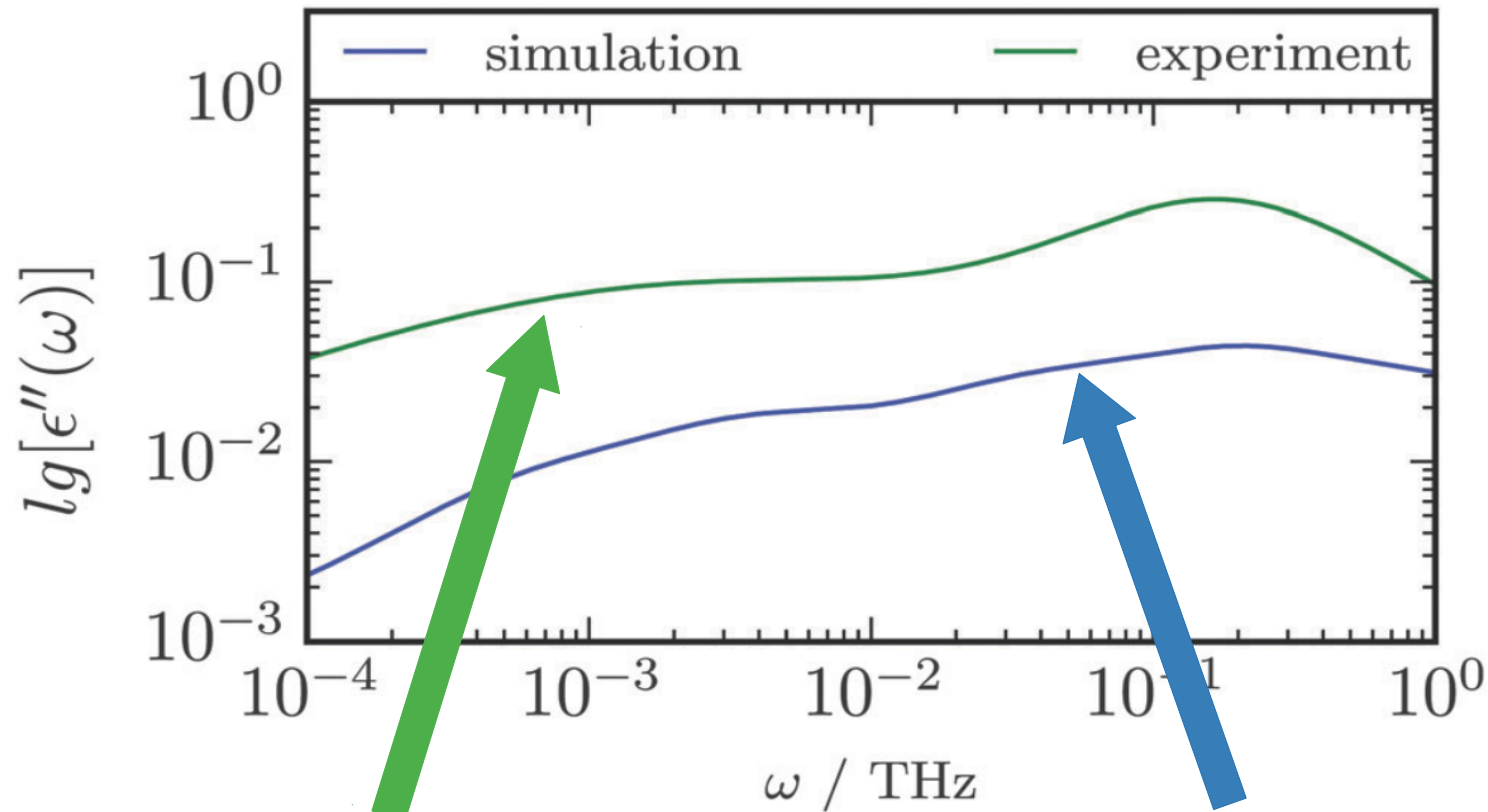
$w_0 = 18$

MD simulations of reverse micelles

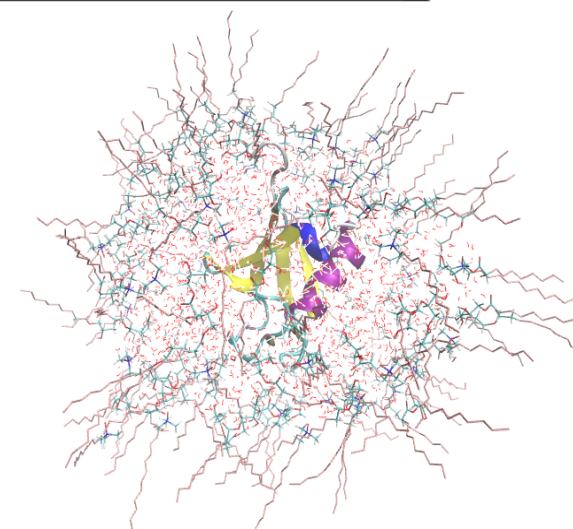
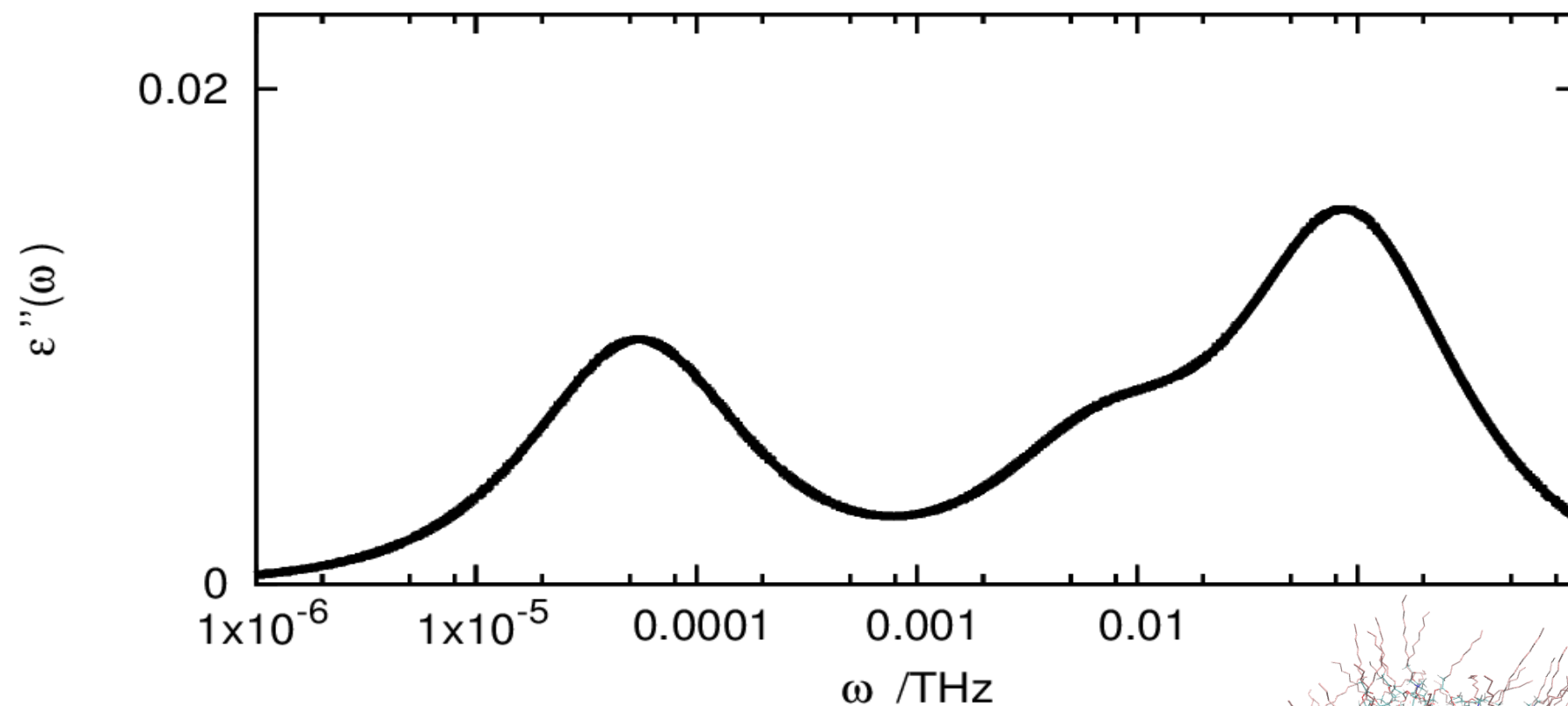


Computational spectroscopy –
Link between experiment and simulation!

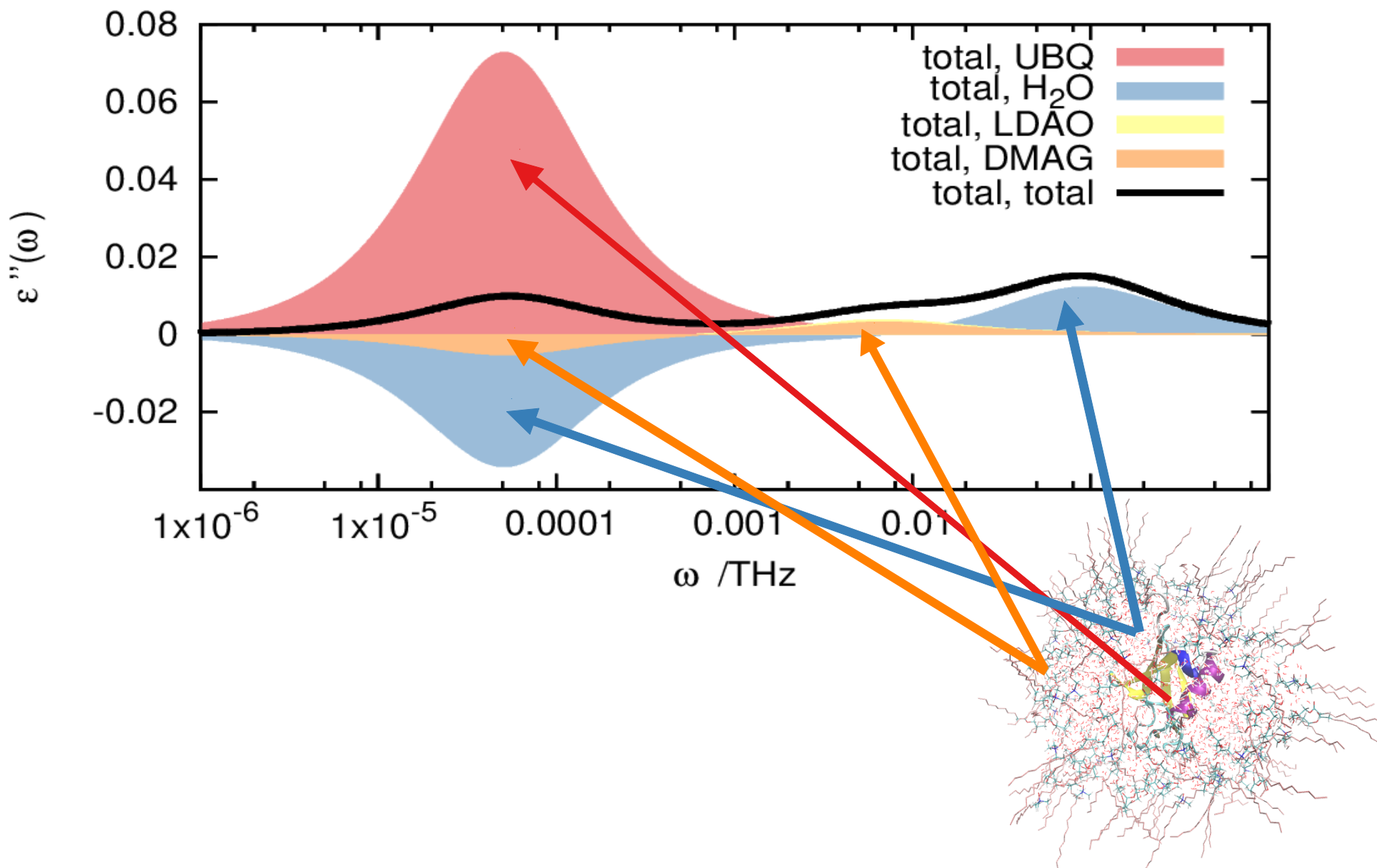
Why computational spectroscopy?



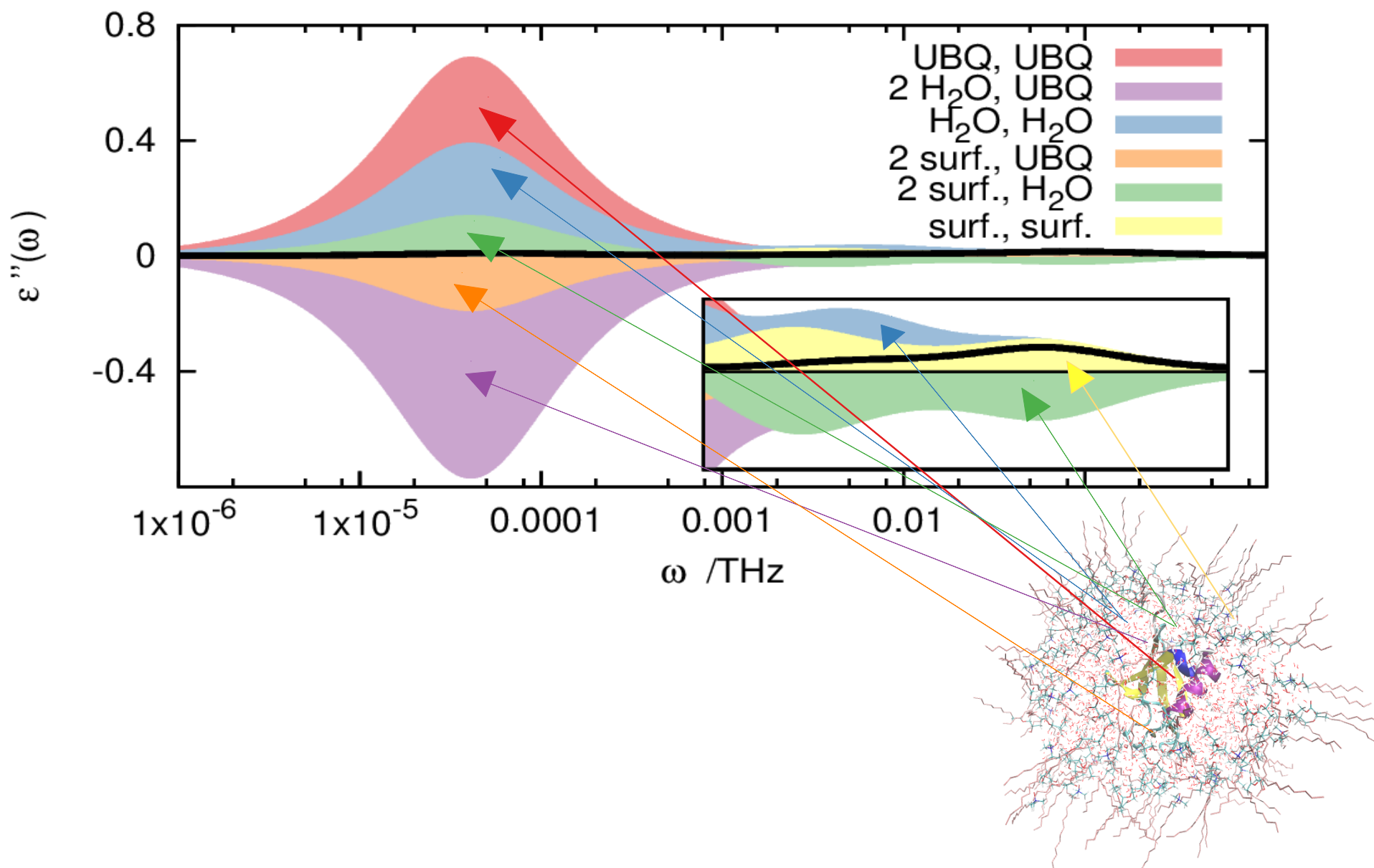
Why computational spectroscopy?



Why computational spectroscopy?



Why computational spectroscopy?



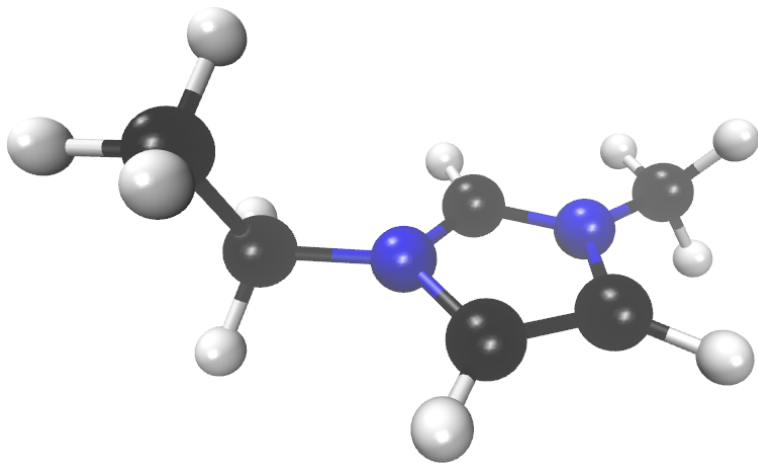
Computational spectroscopy

In theory, any spectral function can be calculated as the Fourier transform of the correlation function of the corresponding molecular property.

A wide range of such properties are accessible from molecular dynamics simulations.



M. Schmollngruber



some process $A(t)$



Forward Fourier
Transformation

some observable
spectral feature $\tilde{A}(\omega)$

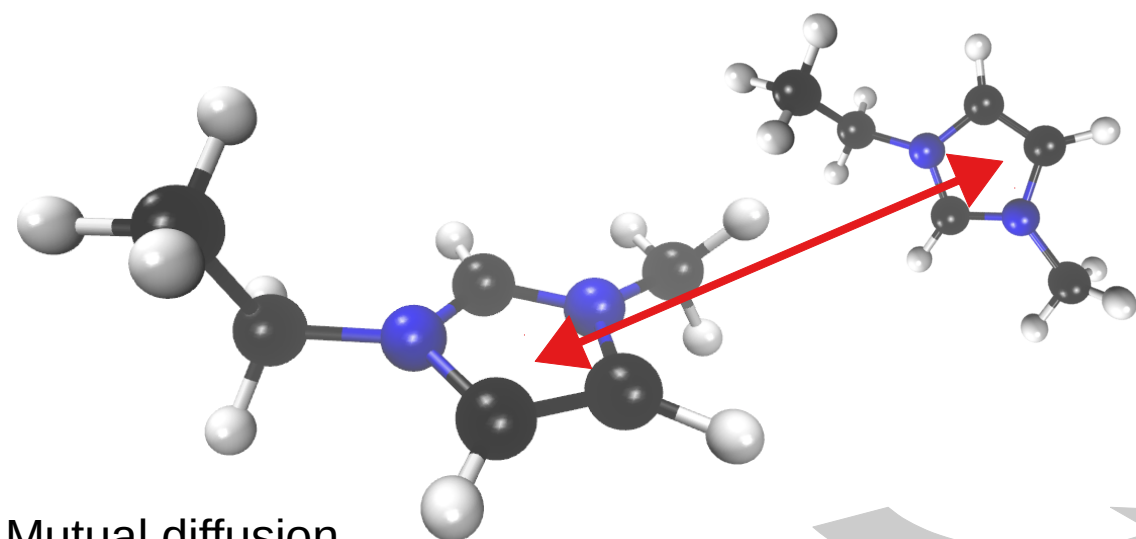
Computational spectroscopy

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M. Schmollngruber

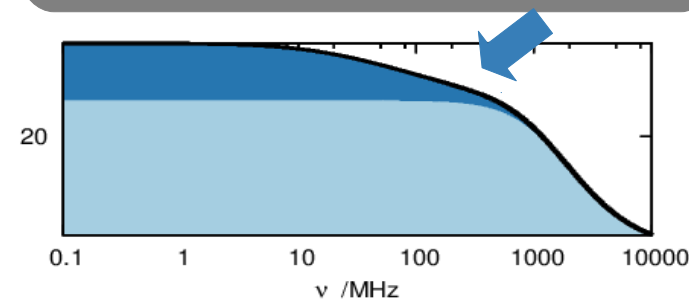


Mutual diffusion



Forward Fourier
Transformation

Fast Field Cycling
NMR dispersion $R(\omega)$



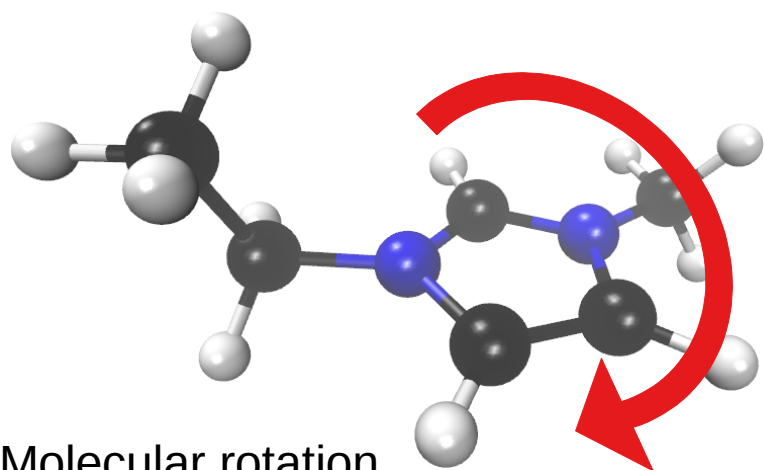
Computational spectroscopy

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M. Schmollngruber

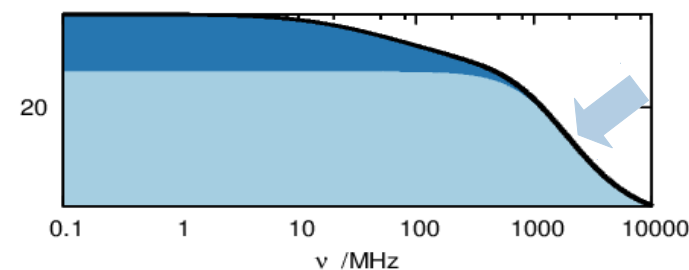


Molecular rotation



Forward Fourier Transformation

Fast Field Cycling
NMR dispersion $R(\omega)$



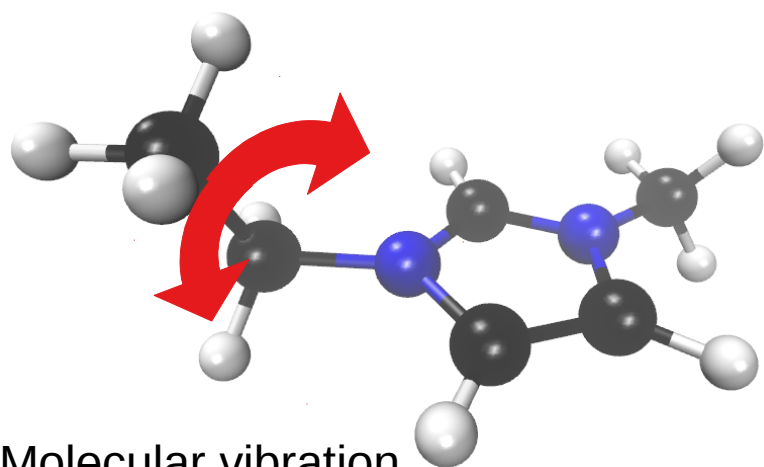
Computational spectroscopy

In theory, any spectral function can be calculated as the Fourier transform of the correlation function of the corresponding molecular property.

A wide range of such properties are accessible from molecular dynamics simulations.



M. Schmollngruber

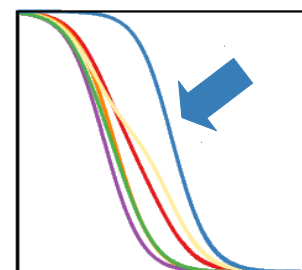


Molecular vibration



Forward Fourier Transformation

Fast Field Cycling
NMR dispersion $R(\omega)$



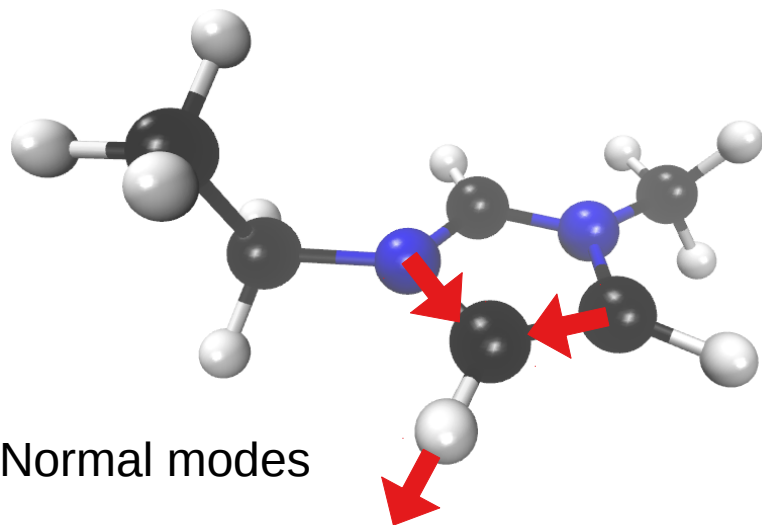
Computational spectroscopy

In theory, any spectral function can be calculated as the Fourier transform of the correlation function of the corresponding molecular property.

A wide range of such properties are accessible from molecular dynamics simulations.



M. Schmollgruber

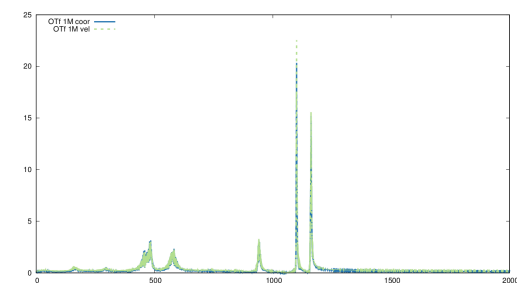


Normal modes



Forward Fourier Transformation

Infrared spectroscopy
 $T(\omega)$



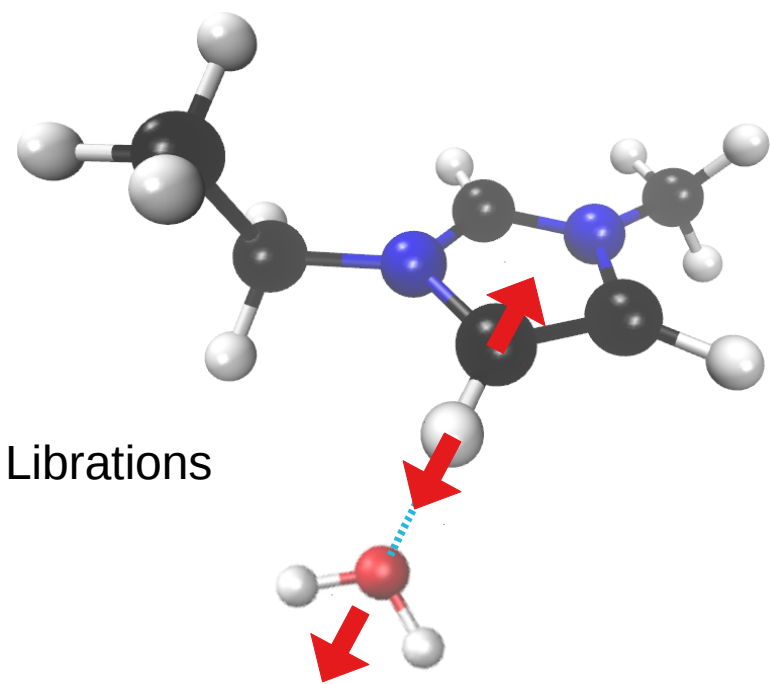
Computational spectroscopy

In theory, any spectral function can be calculated as the Fourier transform of the correlation function of the corresponding molecular property.

A wide range of such properties are accessible from molecular dynamics simulations.



M. Schmollngruber

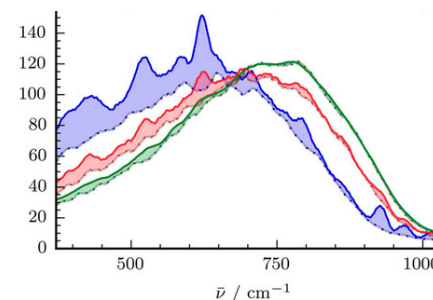


Librations



Forward Fourier
Transformation

Terahertz
spectroscopy $T(\omega)$



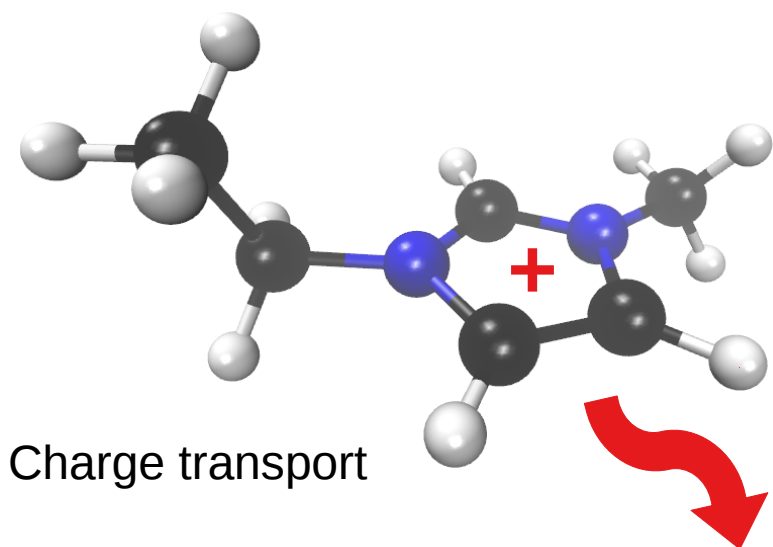
Computational spectroscopy

In theory, any spectral function can be calculated as the Fourier transform of the correlation function of the corresponding molecular property.

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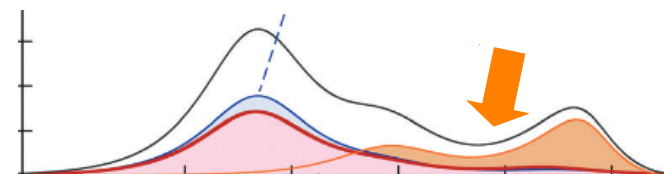
M. Schmollngruber



Charge transport

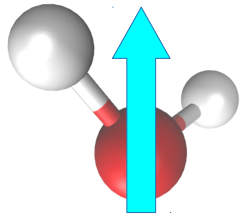


Ionic conductivity
 $\Sigma(\omega)$



Computational spectroscopy

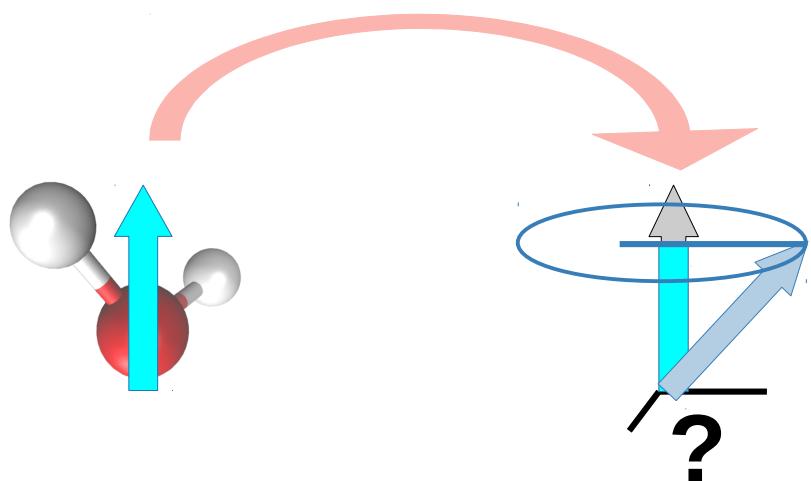
$t = 0$



$$\langle A(0) \bullet A(0) \rangle$$

Computational spectroscopy

$t = 0$ $+\Delta t$



$$\langle A(0) \cdot A(0) \rangle$$

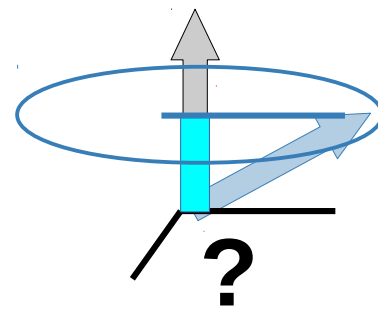
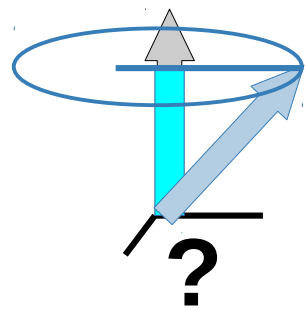
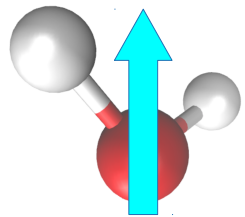
$$\langle A(0) \cdot A(\Delta t) \rangle$$

Computational spectroscopy

$t = 0$

$+\Delta t$

$+\Delta t$

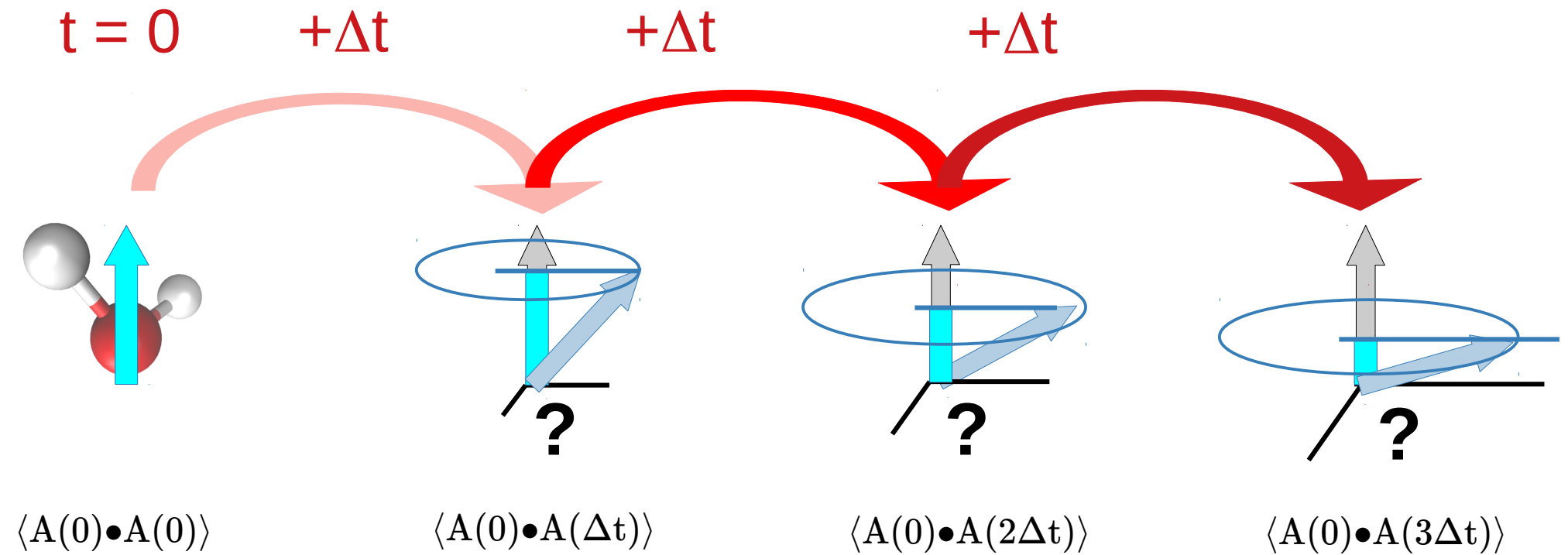


$$\langle A(0) \cdot A(0) \rangle$$

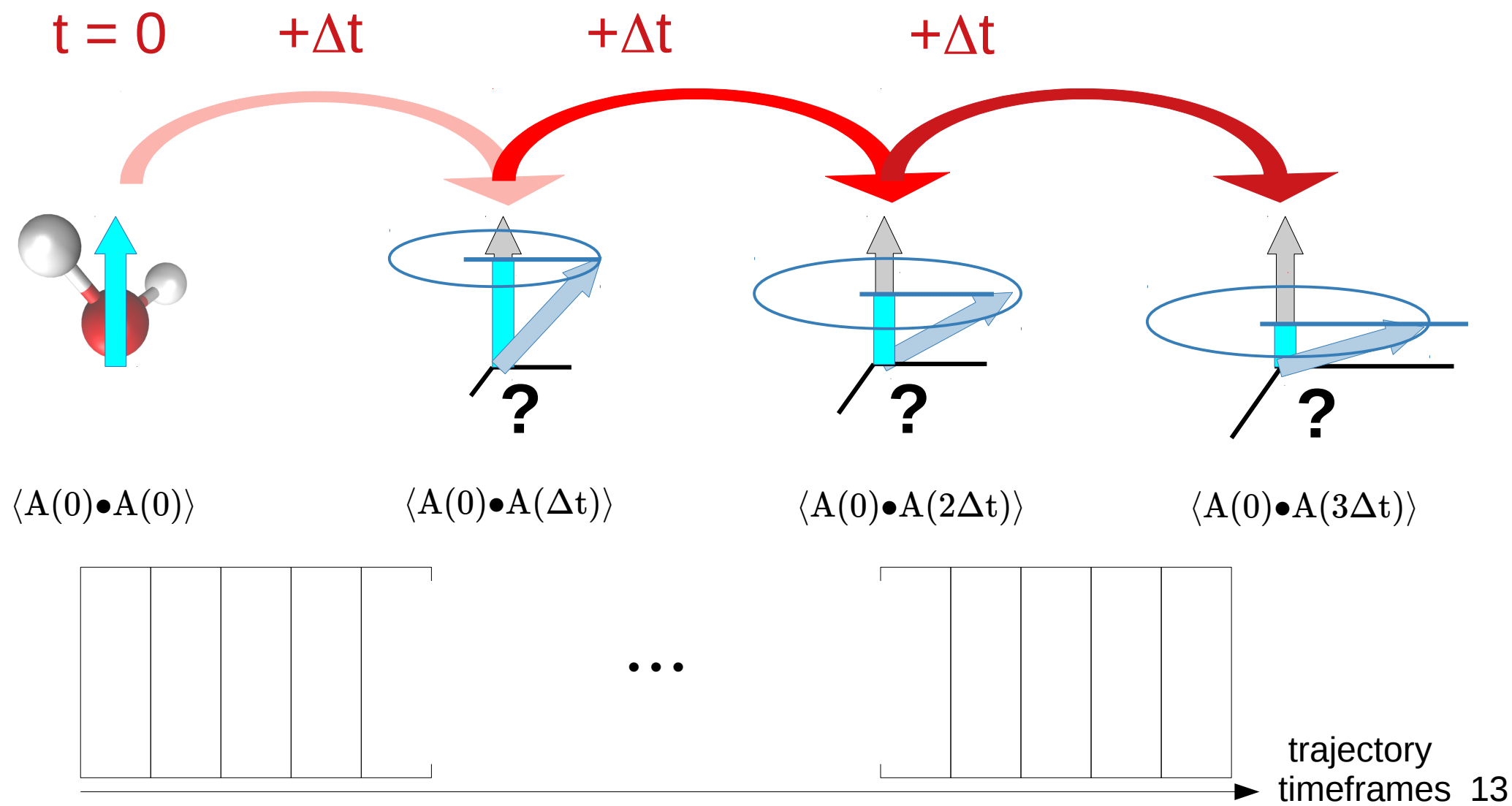
$$\langle A(0) \cdot A(\Delta t) \rangle$$

$$\langle A(0) \cdot A(2\Delta t) \rangle$$

Computational spectroscopy

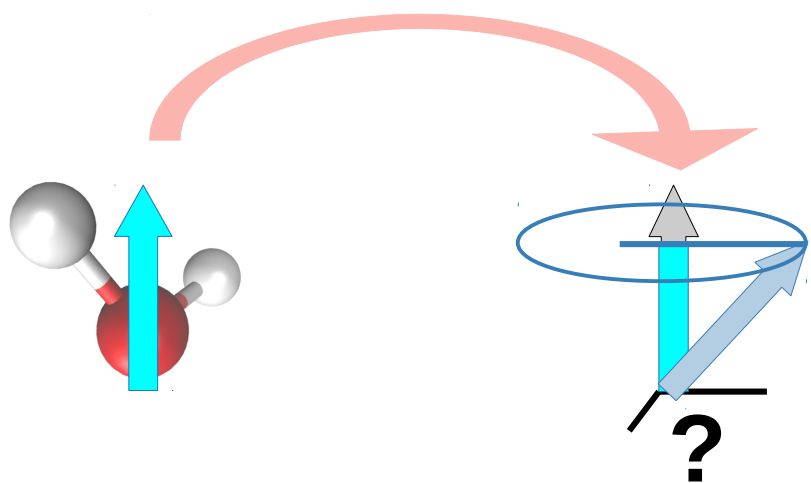


Computational spectroscopy



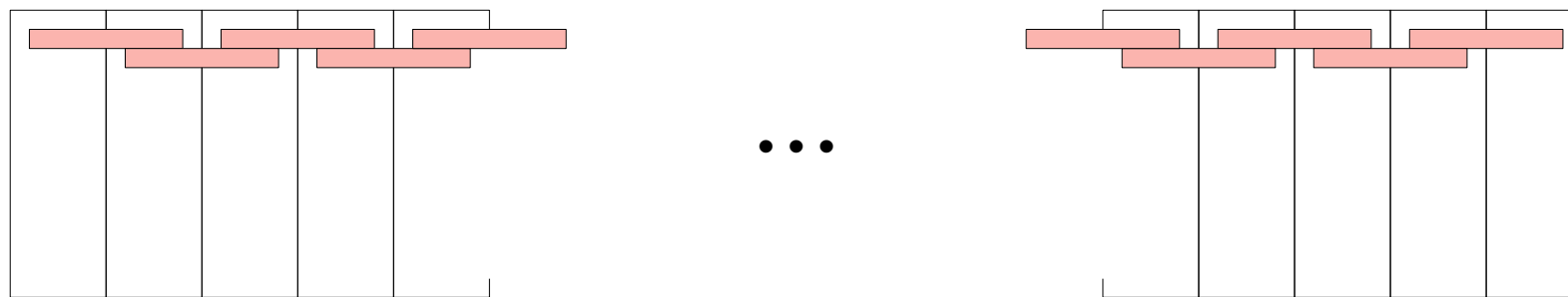
Computational spectroscopy

$t = 0$ $+\Delta t$



$$\langle A(0) \bullet A(0) \rangle$$

$$\langle A(0) \bullet A(\Delta t) \rangle$$

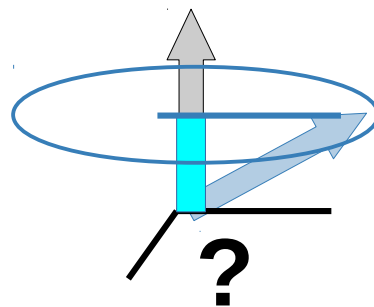
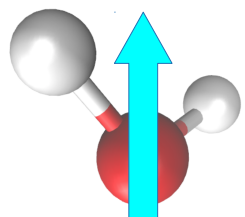


trajectory
timeframes 13

Computational spectroscopy

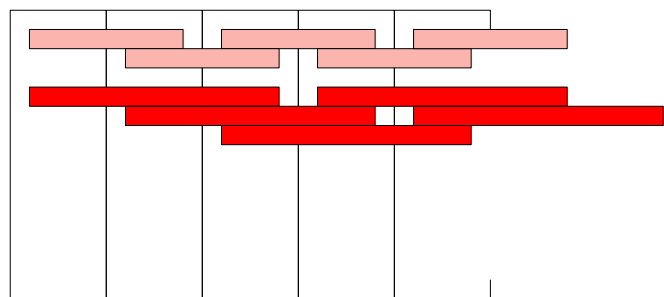
$t = 0$

$+2\Delta t$

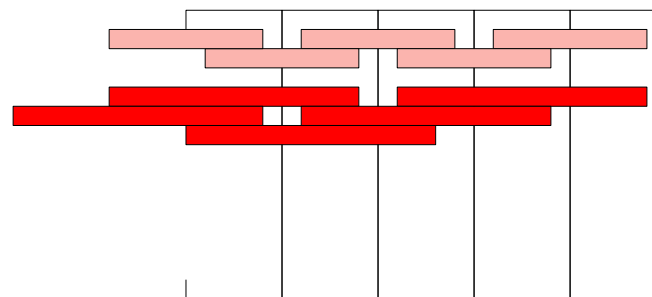


$\langle A(0) \bullet A(0) \rangle$

$\langle A(0) \bullet A(2\Delta t) \rangle$



...

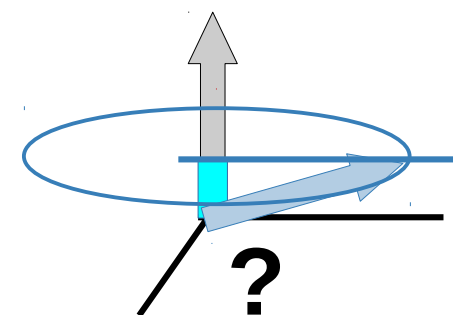
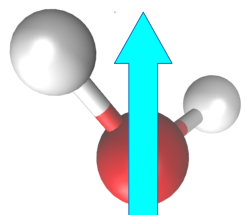


trajectory
timeframes 13

Computational spectroscopy

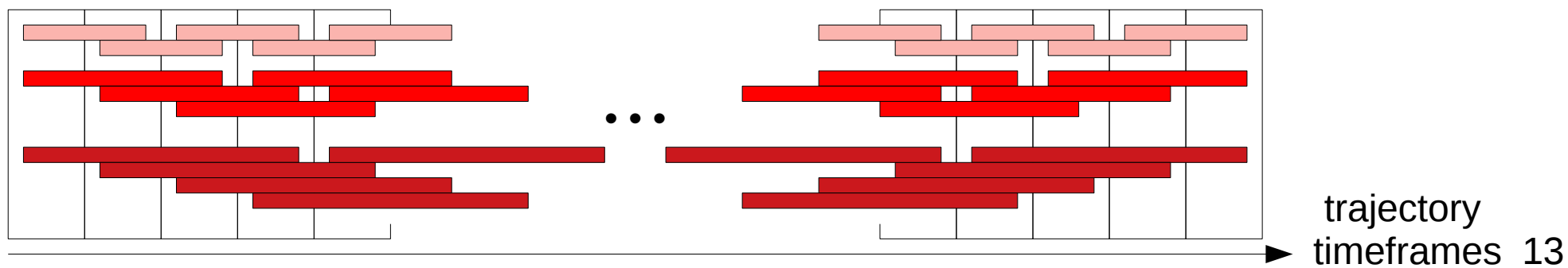
$t = 0$

$+3\Delta t$

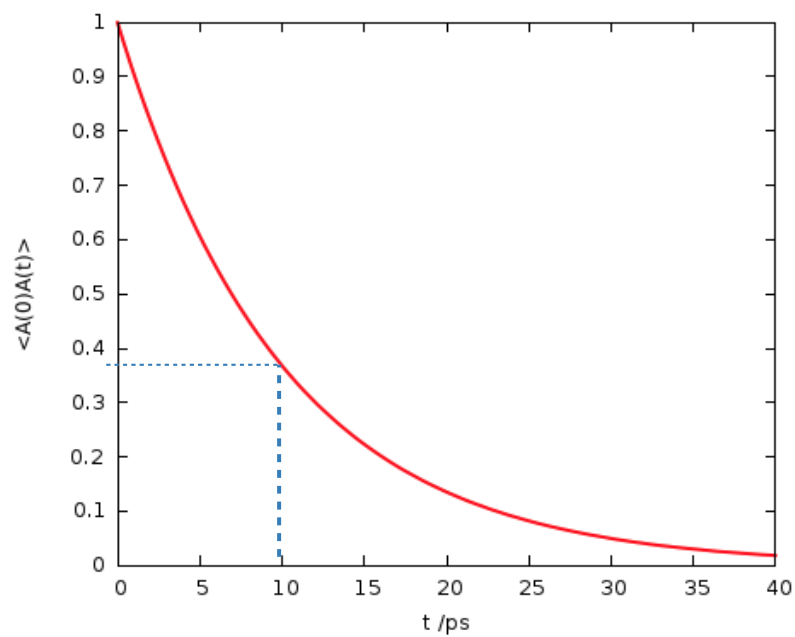


$\langle \mathbf{A}(0) \cdot \mathbf{A}(0) \rangle$

$\langle \mathbf{A}(0) \cdot \mathbf{A}(3\Delta t) \rangle$

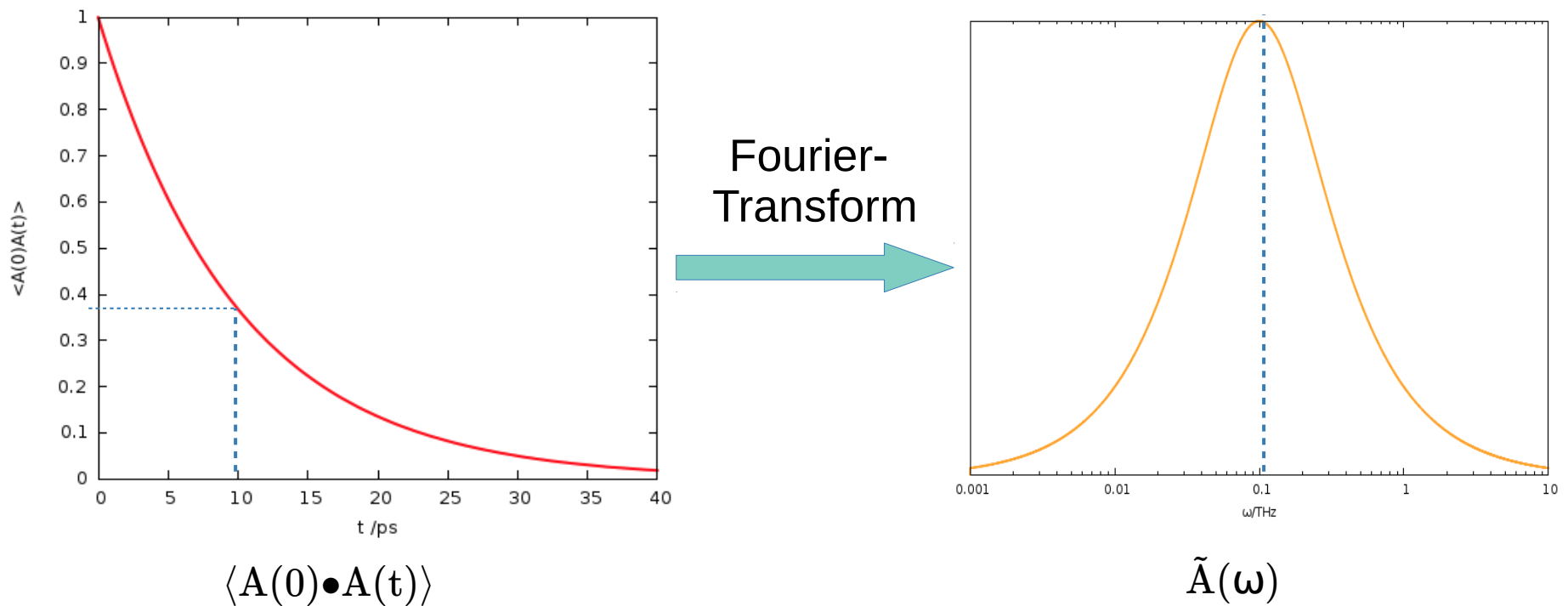


Computational spectroscopy



$$\langle A(0) \bullet A(t) \rangle$$

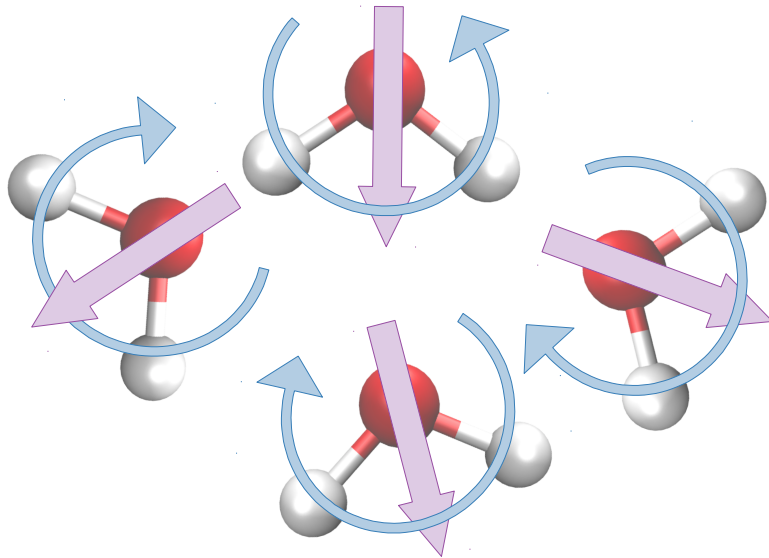
Computational spectroscopy



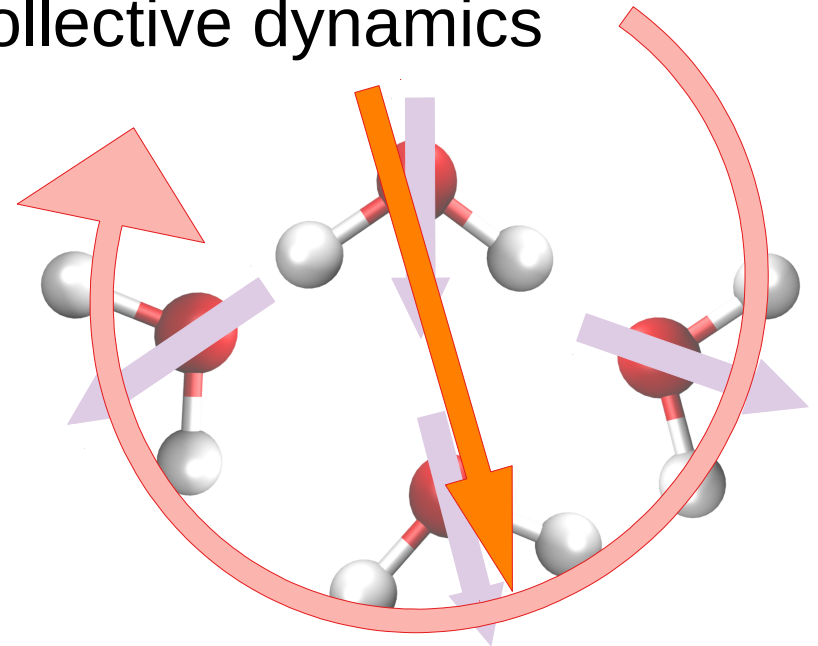
$$\tilde{A}(\omega) = \int_{-\infty}^{+\infty} \langle A(0)A(t) \rangle e^{-i\omega t} dt$$

Water under confinement

Difference single-particle vs. collective dynamics



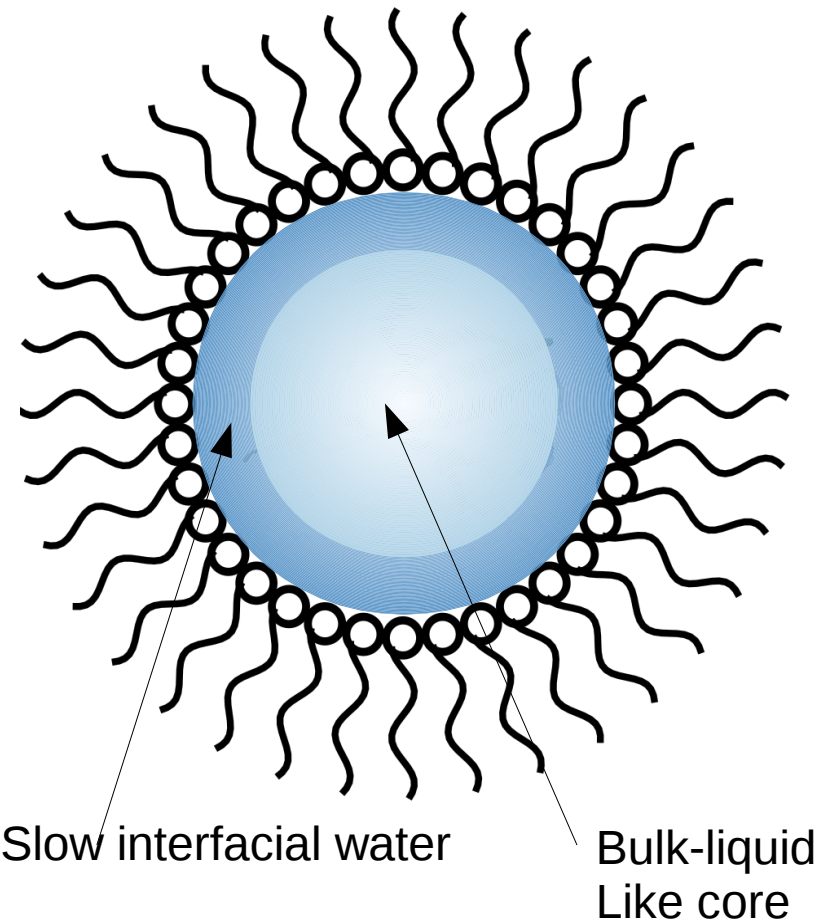
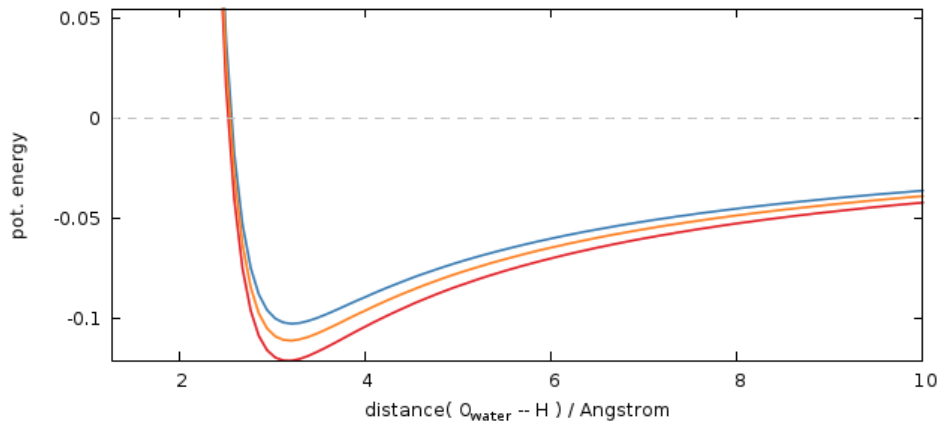
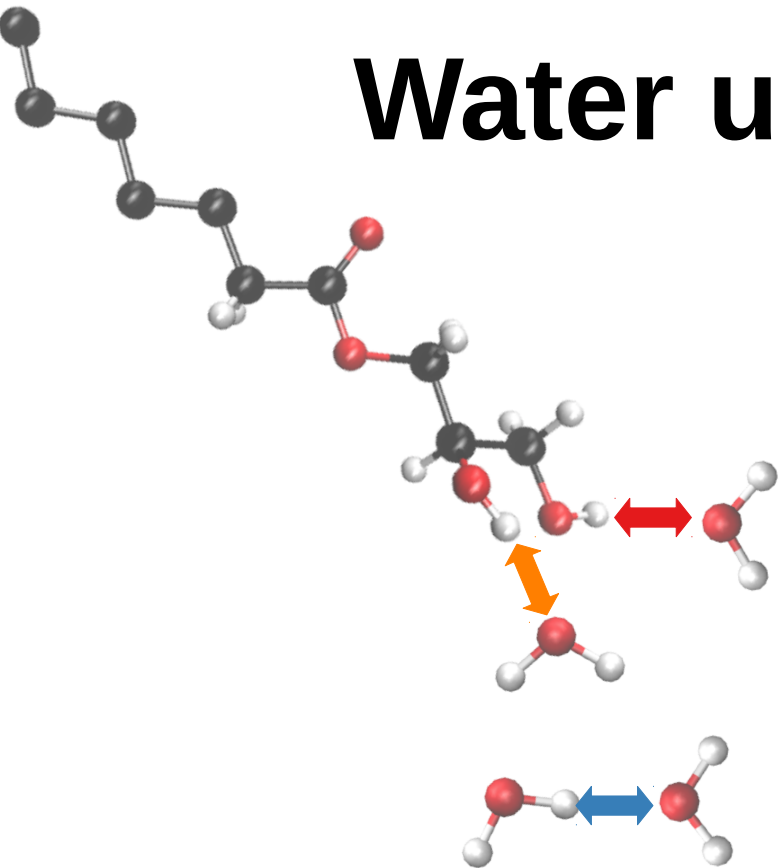
- Motion of single molecular dipoles
- Average



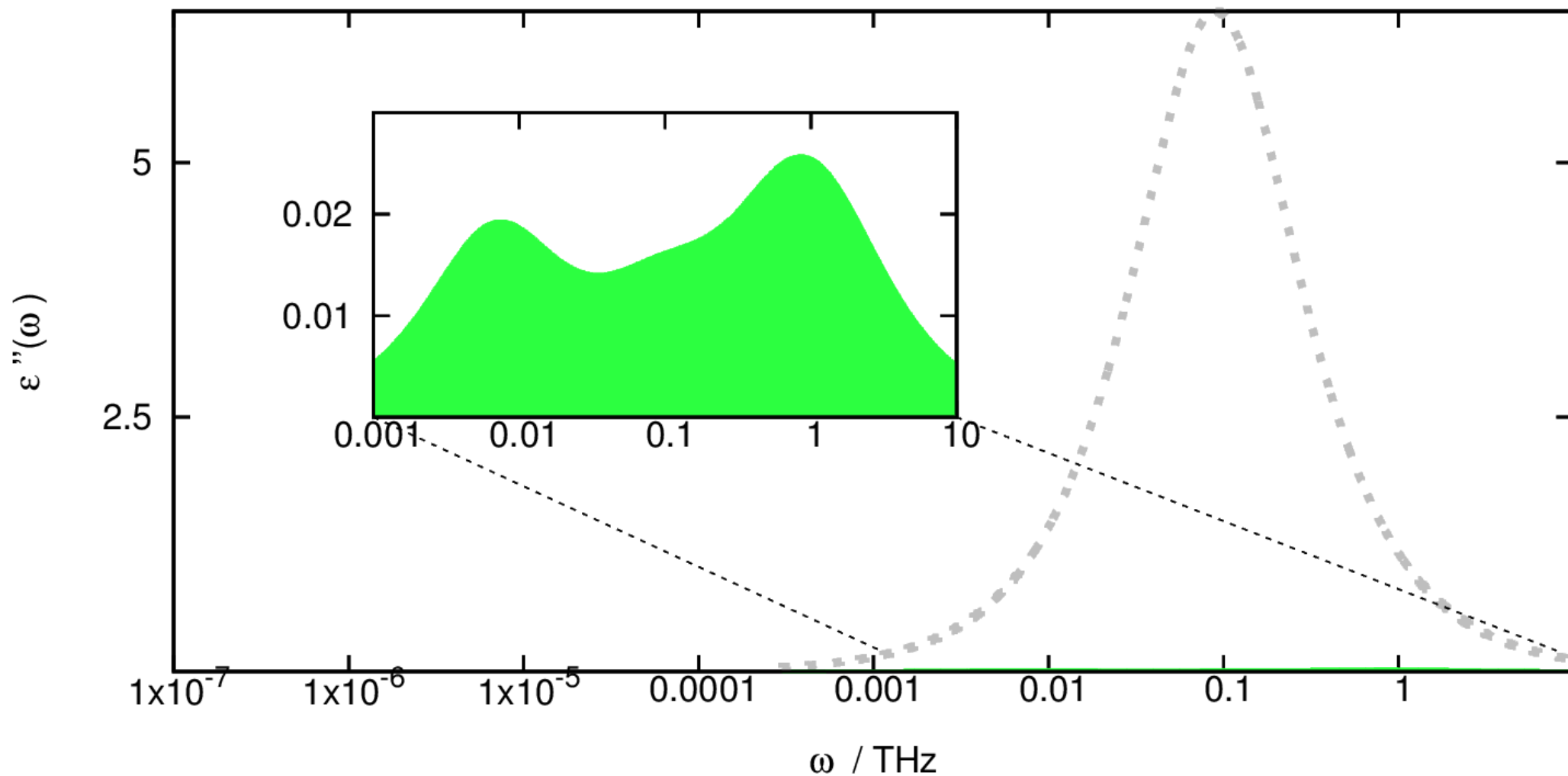
- Motion of sample sum dipole
- Sum
- Contains cross correlations

Connected via mutual orientational structure (?)

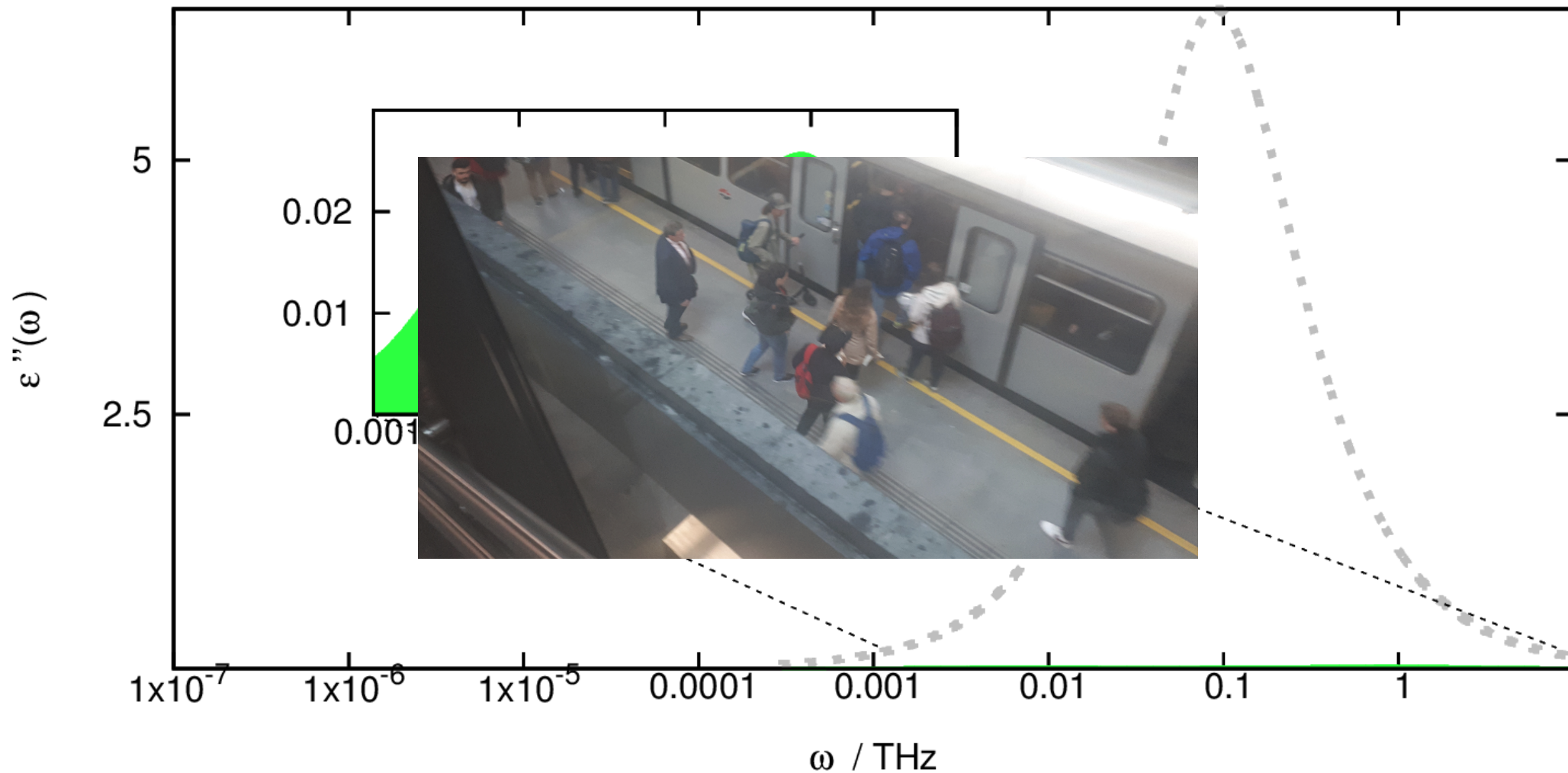
Water under confinement




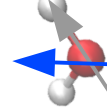
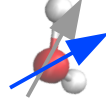
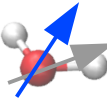
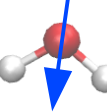
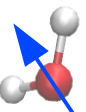
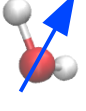
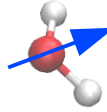
DRS absorption spectra of aqueous reverse micelles



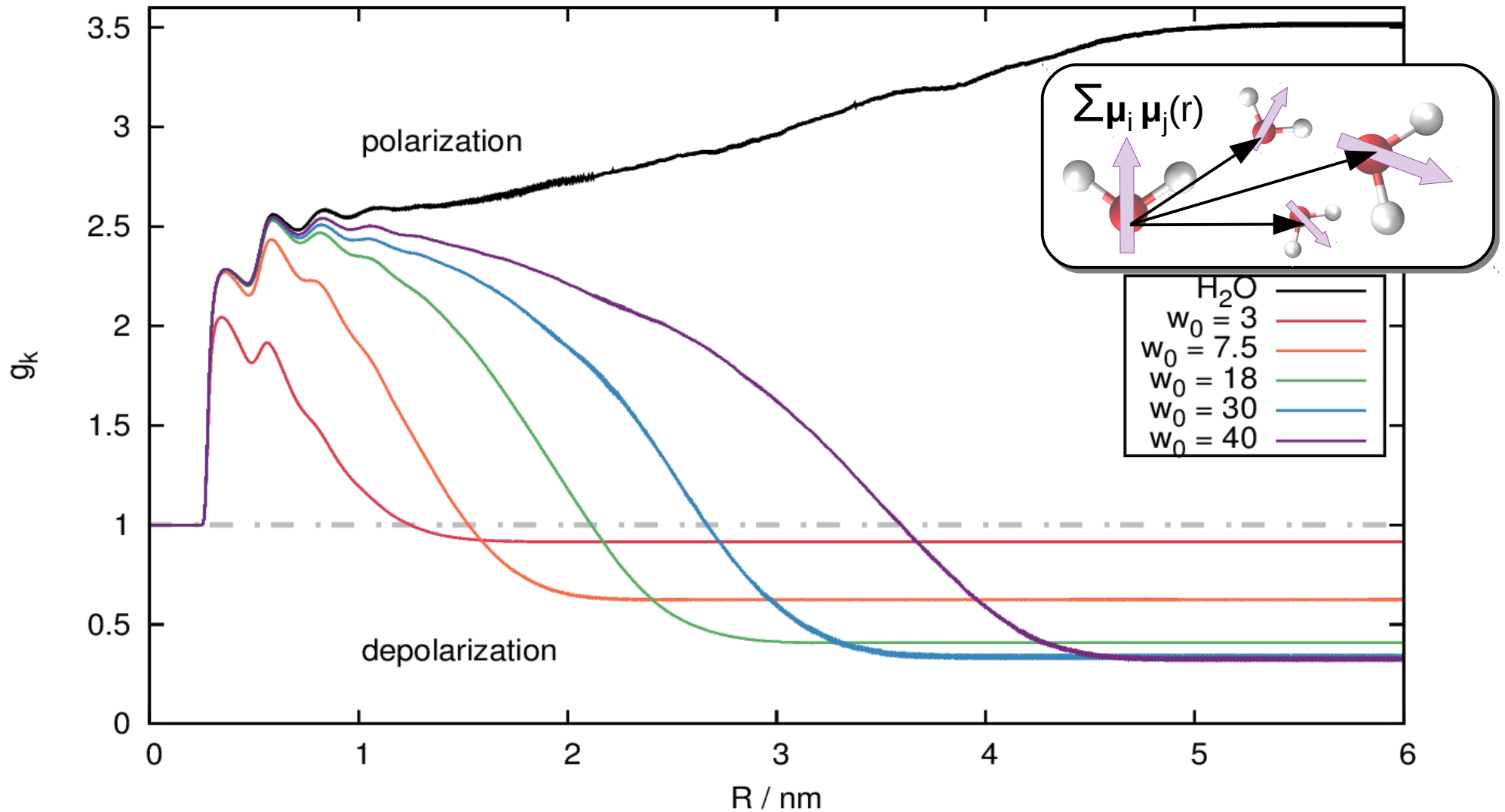
DRS absorption spectra of aqueous reverse micelles



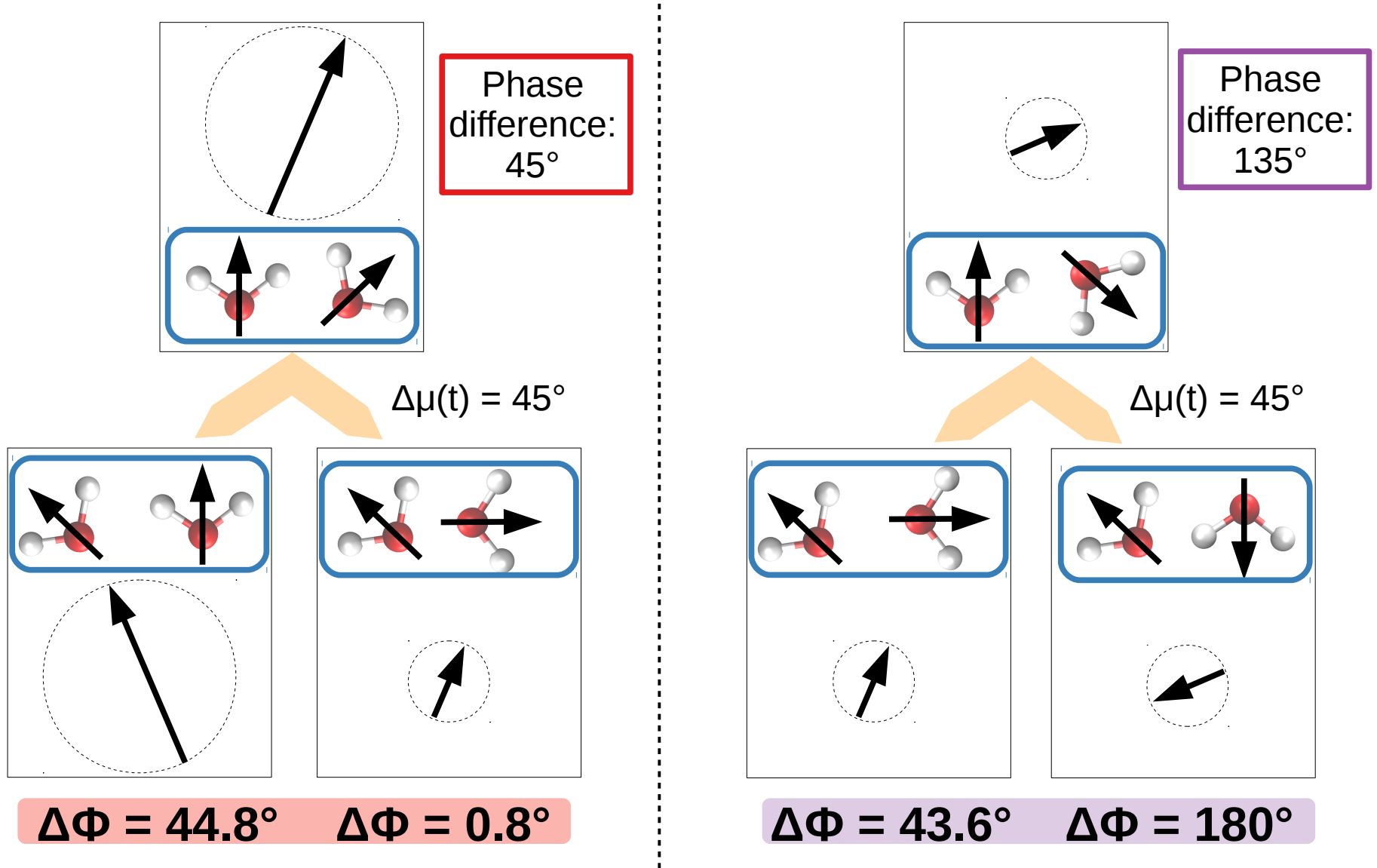
Collective dynamics include cross-correlations!

		$\vec{M}(t)$				
		$\vec{\mu}_1(t)$	$\vec{\mu}_2(t)$	$\vec{\mu}_3(t)$	$\vec{\mu}_4(t)$	
•						
$\vec{M}(0)$	$\vec{\mu}_1(0)$		$\vec{\mu}_1(0) \cdot \vec{\mu}_1(t)$	$\vec{\mu}_1(0) \cdot \vec{\mu}_2(t)$	$\vec{\mu}_1(0) \cdot \vec{\mu}_3(t)$	$\vec{\mu}_1(0) \cdot \vec{\mu}_4(t)$
	$\vec{\mu}_2(0)$		$\vec{\mu}_2(0) \cdot \vec{\mu}_1(t)$	$\vec{\mu}_2(0) \cdot \vec{\mu}_2(t)$	$\vec{\mu}_2(0) \cdot \vec{\mu}_3(t)$	$\vec{\mu}_2(0) \cdot \vec{\mu}_4(t)$
	$\vec{\mu}_3(0)$		$\vec{\mu}_3(0) \cdot \vec{\mu}_1(t)$	$\vec{\mu}_3(0) \cdot \vec{\mu}_2(t)$	$\vec{\mu}_3(0) \cdot \vec{\mu}_3(t)$	$\vec{\mu}_3(0) \cdot \vec{\mu}_4(t)$
	$\vec{\mu}_4(0)$		$\vec{\mu}_4(0) \cdot \vec{\mu}_1(t)$	$\vec{\mu}_4(0) \cdot \vec{\mu}_2(t)$	$\vec{\mu}_4(0) \cdot \vec{\mu}_3(t)$	$\vec{\mu}_4(0) \cdot \vec{\mu}_4(t)$

Mutual dipole orientation: Kirkwood g-factor



Why does structure modulate dynamics? A thought experiment

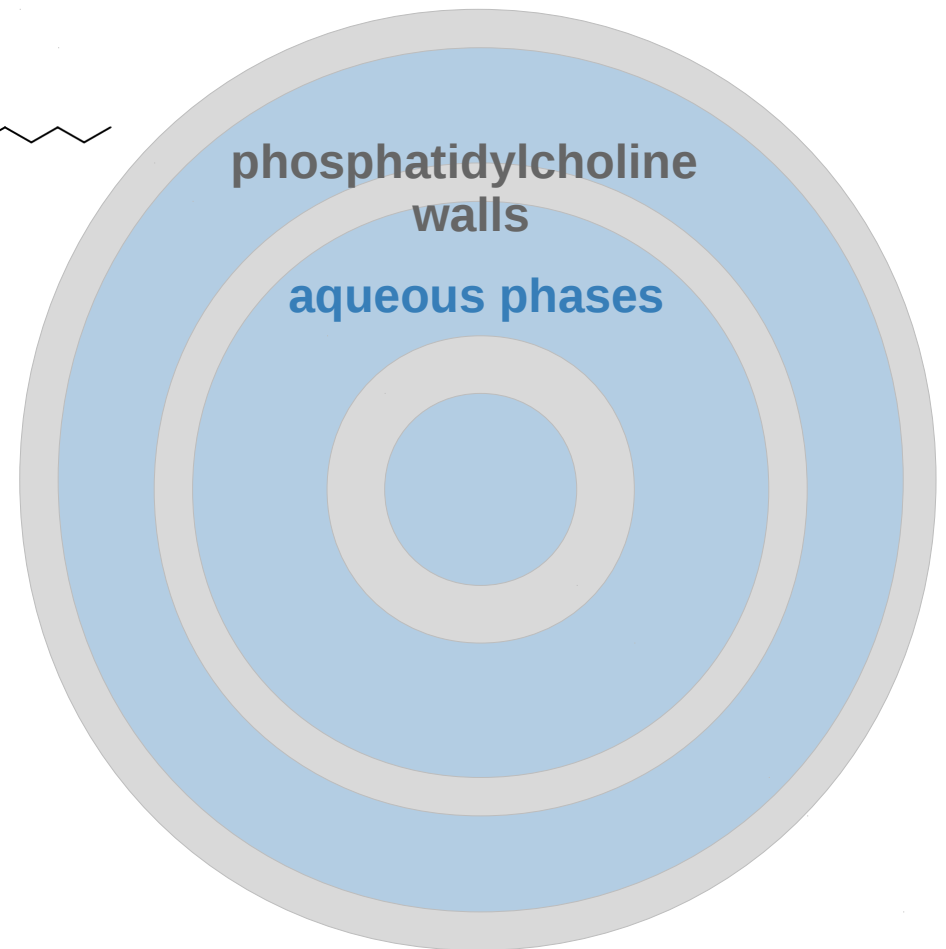
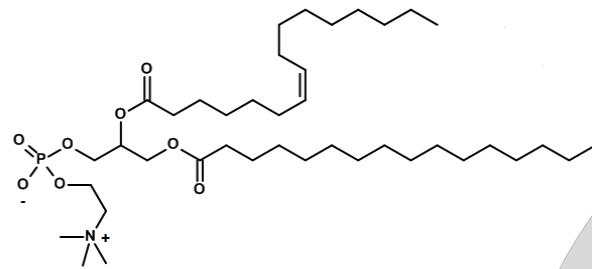


... but is this a real thing?

Experimental setup: Phosphatidylcholines as surfactants, onion-like vesicles, dielectric spectroscopy



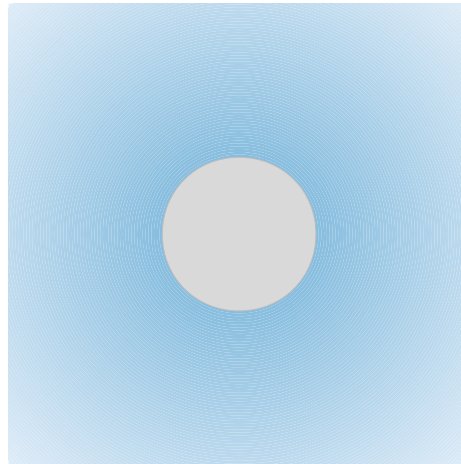
Gun-Sik Park,
Seoul National University



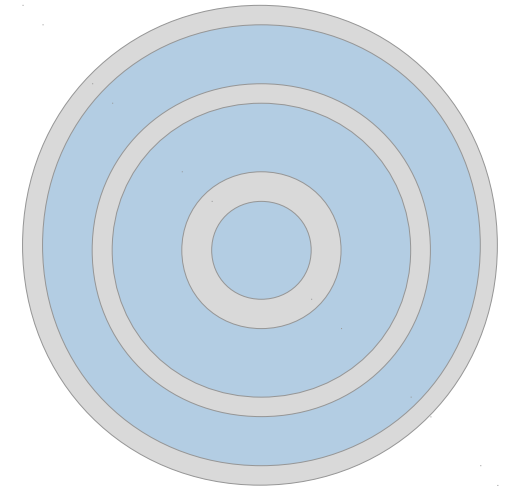
... but is this a real thing?



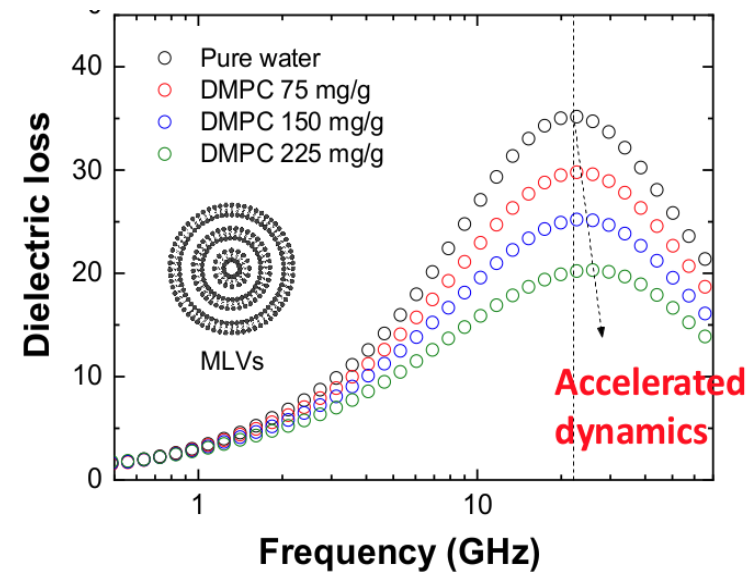
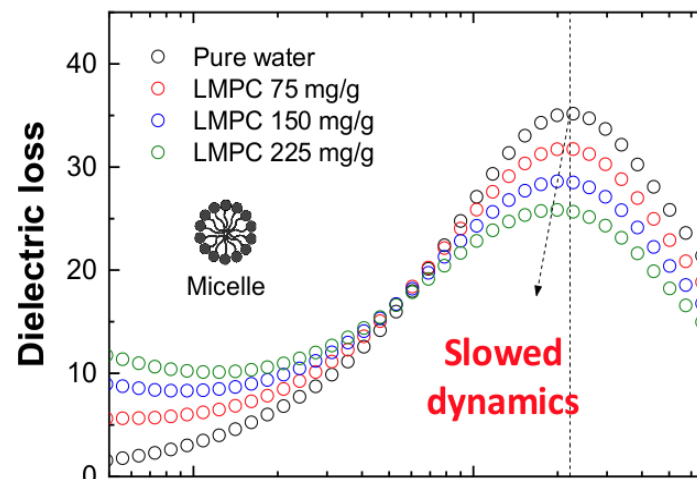
Gun-Sik Park,
Seoul National University



Micelle, unconfined water

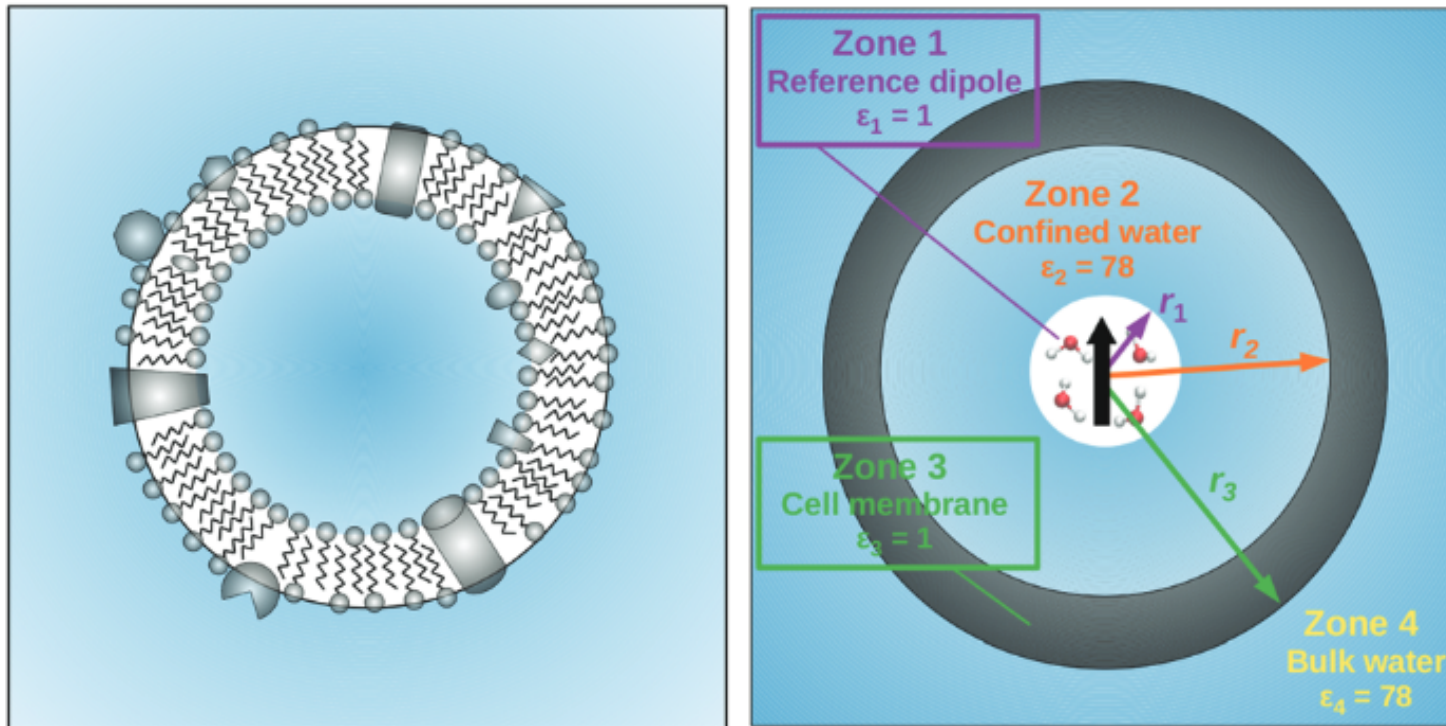


Reverse micelle, confined water

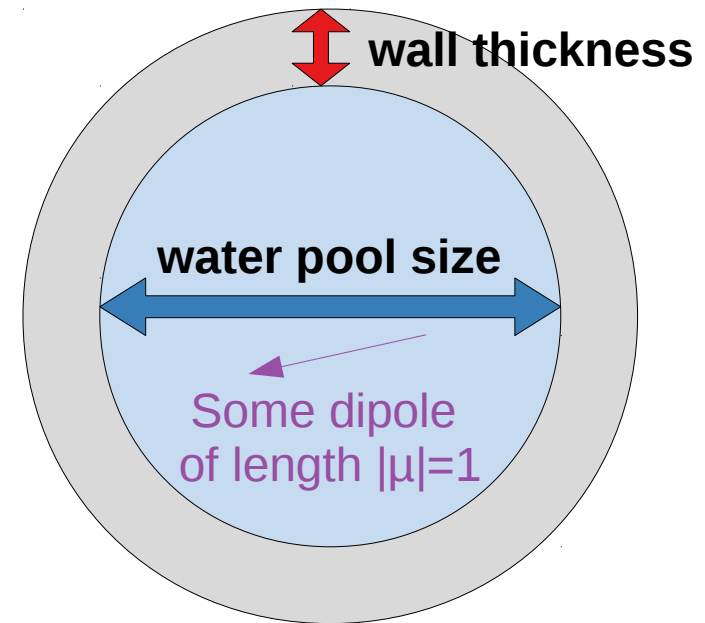
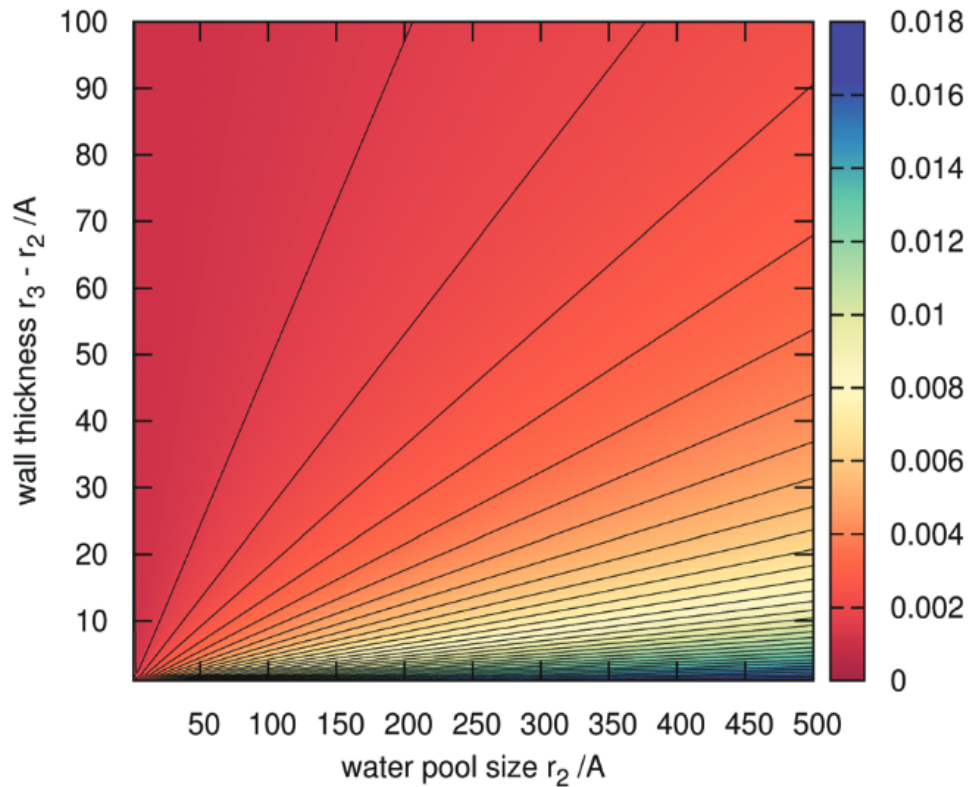


Can this be generalized to biological cells?

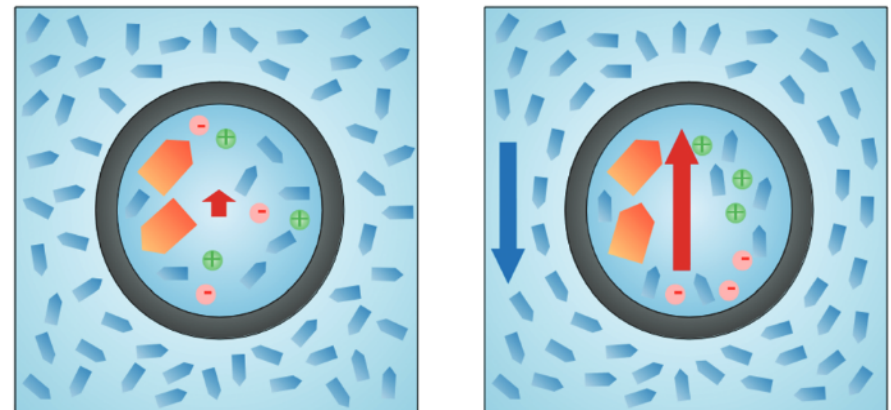
- Size beyond fully atomistic MD simulation
- Idea: Solve dielectric equations directly using a concentric spherical model



Can this be generalized to biological cells?



→ Embedding mechanisms



Thank you for your attention!

