Automatic Detection
of Conserved RNA Structure Elements
in Complete RNA Virus Genomes

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Abstract

We propose a new method for detecting conserved RNA secondary structures in a family of related RNA sequences. Our method is based on a combination of thermodynamic structure prediction and phylogenetic comparison. In contrast to purely phylogenetic methods, our algorithm can be used for small data sets of about 10 sequences, efficiently exploiting the information contained in the sequence variability. The procedure constructs a prediction only for those parts of sequences that are consistent with a single conserved structure. Our implementation produces reasonable consensus structures without user interference. As an example we have analyzed complete HIV-1 and Hepatitis C virus genomes as well as the small segment of Hanta virus. Our method confirms the known structures in HIV-I and predicts previously unknown conserved RNA secondary structures in HCV.

1. Introduction

One of the major problems facing computational molecular biology is the fact that sequence information is available in far greater quantities than information about the three-dimensional structure of biopolymers. While the prediction of three-dimensional RNA structures from sequence data is infeasible at present (see however [36] for a promising ansatz), the prediction of secondary structure is in principle tractable even for large molecules. Functional secondary structures are conserved in evolution, see for instance [14], and they represent a qualitatively important description of the molecules, as documented by their application to the interpretation of molecular evolution data.

Almost all RNA molecules — and consequently also almost all subsequences of a large RNA molecule — form secondary structures. The presence of secondary structure in itself therefore does not indicate any functional significance. In this contribution we show that potentially functional RNA structures can be identified by a purely computational procedure that combines structure prediction and sequence comparison. RNA viruses are an ideal proving ground for testing such a method:

1. Distant groups of RNA viruses have very little or no detectable sequence homology and oftentimes very different genomic organization. Thus we can test our approach on essentially independent data sets.

2. RNA viruses show an extremely high mutation rate, on the order to $10^{-5}$ to $10^{-3}$ mutations per nucleotide and replication. Due to this high mutation rate they form quasi-species, that is, diffuse “clouds” in sequence space [10] and their sequences evolve at a very high rate. In contrast functional secondary structures are strongly conserved.
Due to the high sequence variation, the application of classical methods of sequence analysis is therefore difficult or outright impossible. Indeed, except for the family Mononegavirales (negative-stranded RNA viruses), there is no accepted taxonomy above the Genus level. 

(3) The high mutation rate of RNA viruses also explains their short genomes of less than some 20,000 nucleotides [10]. A large number of complete genomic sequences is available in data bases. The non-coding regions are most likely functionally important since the high selection pressure acting on viral replication rates makes “junk RNA” very unlikely. So far a number of relevant secondary structures have been determined that play a role during the various stages of the viral life cycle in a variety of different classes of viruses, for instance lentiviruses [59, 1, 17], RNA phages [3, 43], flaviviruses [50], pestiviruses [5, 8], picorna viruses [9, 19, 27, 34, 44, 47], hepatitis C viruses [53, 5], or hepatitis D virus [56].

Three unrelated groups of viruses, which contain a variety of human pathogens of global medical importance, will serve as examples, see figure 1 for details:

HIV-1 is a highly complex retrovirus. Its genome is dense with information for the coding of proteins and biologically significant RNA secondary structures. The latter play a role in both the entire genomic HIV-1 sequence and in the separate HIV-1 messenger RNAs which are basically (combined) fragments of the entire genome.

Flaviviridae are small enveloped particles with an unsegmented, plus-stranded RNA genome. This virus family contains the genera flavivirus (which includes the viruses causing Japanese Encephalitis, Dengue, Yellow Fever, and Tick-Borne Encephalitis), pestivirus, hepatitis C, and the recently discovered hepatitis G viruses, see [41] for a recent summary. Hantaviruses are serologically-related members of the family Bunyaviridae [11]. They are enveloped viruses with a tripartite negative-sense RNA genome. The three genome segments are called L, M and S, encoding the viral transcriptase, envelope glycoproteins, and nucleocapsid protein, respectively. In this contribution we shall be concerned only with the small (S) segment. Hantaviruses have been implicated as etiologic agents for two acute diseases: hemorrhagic fever with renal syndrome (HFRS) and hantavirus pulmonary syndrome (HPS). Both diseases are carried by rodent vectors.

The total length of the genomic sequences of both virus families, on the order of 10000 nucleotides, makes experimental analysis of the secondary structure of full genomes infeasible. For RNAs of this size, structure prediction based on thermodynamic constraints is the only approach that is available at present.
Figure 1: (top) Organization of a retrovirus genome (HIV-1) and a Flaviviridae genome (Hepatitis C). Proteins are shown on top, known features of the RNA are indicated below.

The major genes of HIV-1 are gag, pol, env, tat and rev. The gag gene codes for structural proteins for the viral core. The pol gene codes among others for the reverse transcriptase and the protein that integrates the viral DNA (after reverse transcription) into the host DNA. The env gene codes for the envelope proteins. The tat and rev genes code for regulatory proteins Tat and Rev that can bind to TAR and the RRE respectively. INS1, INS2 and CRS are RNA sequences that destabilize the transcript in the absence of the Rev protein. FSH refers to the hairpin that is involved in the ribosomal frameshift from gag to pol during translation. PolyA refers to the polyadenylation signal. PBS is the primer binding site. For references see [22]

(bottom) About 90% of the approximately 10kb-long genomes of flaviviridae is taken up by a single long open reading frame that encodes a polyprotein which is co- and post-translationally cleaved by viral and cellular proteases into 10 viral proteins (for review, see [46]). The flanking non-coding regions (NCR) are believed to contain cis-acting elements important for replication, translation and packaging. The X-tail, a highly conserved sequence of 98nt beyond a poly-U stretch of variable length, might play an important role in the initiation of genomic replication [53].
2. Methods

2.1. RNA Structure Prediction

RNA secondary structures are predicted as minimum energy structures by means of dynamics programming techniques [57, 62]. An efficient implementation of this algorithm is part of the Vienna RNA Package [16]. The energy parameters used by the Vienna RNA Package are based on [13, 28, 15]. They are identical with the parameters in Zuker’s mfold 2.2 with the exception stacking energies involving GU pairs which were taken from [15]. Complete RNA genomes were folded on CalTech’s Delta using the message passing version of the minimum folding algorithm described in [17, 18]. In this version we do not consider dangling ends.

2.2. Sequence and Structure Comparison

While the computation of the secondary structures is a straightforward (yet computationally demanding) task, their comparison is less obvious.

A variety of combined alignment plus structure prediction procedures have been proposed [48, 52, 6]. The problem with this approach is threefold for our task: (1) The computational efforts become prohibitive for longer sequence: CPU time scales as $\mathcal{O}(n^4)$ in the approximate algorithm [6], and as $\mathcal{O}(n^3m)$ in the exact version [48], where $n$ is the length of the sequence and $m$ the number of sequences, by far exceeding the available resources. (2) Viral sequences show a large variation in sequence similarity along the chain. Furthermore, we do not expect a conserved secondary structure for all parts of the sequence, even if there is a significant level of sequence conservation. Combined folding and alignment algorithms will therefore produce poor alignments in such cases. (3) The use of a combined algorithm for predicting structure and alignment would not allow independent verification.
of the predicted structural elements. A possibility to verify the predicted structures, however, is particularly important when dealing with the relatively sparse datasets that are available.

We start the comparison procedure with an alignment of the sequences that is obtained without any reference to the predicted structures. The multiple sequence alignments are calculated using CLUSTAL W [54]. We do not attempt to improve the alignment based on visual inspection or based on predicted secondary structures. While this might increase the number of compensatory mutations and possibly also the number of detected structural elements, it would also have compromised the use of the sequence data for verifying the predicted structures.

The sequence alignment is then used to produce an alignment of the secondary structures by introducing the appropriate gaps into the minimum energy foldings. Up to this point our procedure is essentially the same as Riesner’s ConStruct [35]. The evaluation of the structure alignment, however, is quite different from these approaches: (1) We do not assume a priori that there is a conserved secondary structure for all parts of the sequence. Hence we cannot simply search for the secondary structure that maximizes the sum of the predicted base pairing probabilities. (2) We explicitly use the sequence information contained in the multiple alignment to confirm or reject predicted base pairs. A flow diagram of our approach is shown in figure 2.

A quick overview of the data is conveniently obtained from the mountain representation. In the mountain representation [20] a single secondary structure is represented in a two dimensional graph, in which the x-coordinate is the position $k$ of a nucleotide in the sequence and the y-coordinate the number $m(k)$ of base pairs that enclose nucleotide $k$. The mountain representation allows for a straightforward comparison of secondary structures and inspired a convenient algorithm for structure based alignments of secondary structures [20, 32]. Structural features are easily identified in these plots. Peaks correspond to hairpins; the symmetric slopes represent the stack enclosing the unpaired bases in the hairpin loop, which appear as a plateau; plateaus represent unpaired bases. When interrupting sloped regions they indicate bulges or interior loops, depending on whether they occur alone or paired with another plateau on the other side of the mountain at the same height respectively. Valleys indicate the unpaired regions between the branches of a multi-stem loop or, when their height is zero, they indicate unpaired regions separating the components of secondary structures.
Figure 2: Scheme of the secondary structure analysis of viral genomes.
Figure 3: Aligned mountain representations $m(k)$ of the RNA secondary structure of 13 complete Hepatitis C genomes.

The folds were computed with CalTech’s Intel Delta, a distributed memory parallel computer with 512 nodes and roughly 12MBytes of memory per node. The thick full line is the average mountain representation.

In the lower part of the sequence we plot the variance of the slopes (scattered dots) and a running average (full green line). Deep minima of the green curve correspond to consistently predicted parts of the structure, such as the two regions labelled A and B.

Mountain representation plots, such as the one in figure 3, can be used to identify conserved substructures. The consensus mountain of a set of $N$ sequences can be defined as

$$m(k) = \frac{1}{N} \sum_{s=1}^{N} m_s(k) \quad (1)$$

The quality of a consensus mountain can be assessed at each position by comparing the slopes $q_s(k) := m_s(k) - m_s(k - 1)$ of the different sequences [45]. These one-dimensional representations such as $m(k)$ provide a global overview of the structure and can be used to guide a manual reconstruction of consensus secondary structure elements. This approach turned out to be rather tedious already for the 3’NCRs of flaviviruses with a chain length of only 200-300nt and is certainly not feasible for the analysis of entire genomes. On the
other hand, the data contained in these simplified one-dimensional representations are not
detailed enough to allow for the automatic reconstruction of conserved patterns.

2.3. Automatic Detection of Conserved Structural Elements

The starting point of a more detailed analysis is a list of all predicted base pairs. This list
will in general not be a valid secondary structure, i.e., it will violate one or both of the
following two conditions:
(i) No nucleotide takes part in more than one base pair.
(ii) Base pairs never cross, that is, for two base pairs \((i,j)\) and \((k,l)\) we have either \(i < j < k < l\), \(k < l < i < j\), \(i < k < l < j\), or \(k < i < j < l\), but never \(i < k < j < l\) or
\(k < i < l < j\).

Therefore we rank the individual base pairs by their “credibility” (see below). Then we
go through the sorted list and weed out all base pairs that violate conditions (i) or (ii).
Finally, base pairs that are deemed unlikely are removed.

Clearly the sorting procedure is of crucial importance. For each predicted base pair \((i,j)\) we
store the nucleotides occurring in the corresponding positions in the sequence alignment.
We shall call a sequence non-compatible with a base pair \((i,j)\) if the two nucleotides at
positions \(i\) and \(j\) would form a non-standard base pair such as \(CA\) or \(UU\). A sequence is
compatible with base pair \((i,j)\) if the two nucleotides form either one of the following six
combinations: \(GC\), \(CG\), \(AU\), \(UA\), \(GU\), \(UG\).

When different standard combinations are found for a particular base pair \((i,j)\) we may
speak of consistent mutations. If we find combinations such as \(GC\) and \(CG\) or \(GU\) and
\(UA\), where both positions are mutated at once we have compensatory mutations. The
occurrence of consistent and, in particular, compensatory mutations strongly supports a
predicted base pair, at least in the absence of non-consistent mutations.

From the frequencies \(f_{ij}\) with which \((i,j)\) is predicted in the sample of sequences we derive
the pseudo-entropy

\[
S_{ij} = -\sum_k f_{ik} \ln f_{ik} - \sum_k f_{kj} \ln f_{kj} + f_{ij} \ln f_{ij},
\]  

(2)
where \((i,k)\) and \((k,j)\) are the alternative predicted base pairs involving \(i\) and \(j\), respectively. The pseudo-entropy is a measure for the reliability with which \((i,j)\) is predicted.

We call a base pair \((i,j)\) *symmetric* if \(j\) is the most frequently predicted pairing partner of \(i\) and if \(i\) is the most frequently predicted pairing partner of \(j\). Note that for each sequence position \(i\) there is at most one symmetric base pair involving \(i\). A symmetric base pair \((i,j)\) has necessarily a rather large value \(f_{ij}\); in particular, it does not allow a large number of structural alternatives.

In a first preprocessing step we remove for each \(i\) all but the most frequent pair \((i,j)\) from the list of predicted base pairs. The list is then sorted according to the following hierarchical criteria:

1. The more sequences are non-compatible with \((i,j)\), the less credible is the base pair.
2. Symmetric base pairs are more credible than other base pairs.
3. A base pair with more consistent mutations is more credible.
4. Base pairs with smaller values of the pseudo-entropy \(S_{ij}\) are more credible.

Scanning the sorted list from the top, we remove a base pairs if it conflicts with a higher-ranking one that has already been accepted. Finally, base pairs with \(f_{ij}\) below some threshold are removed. This ensures that structures are predicted only for regions in which we have a strong signal. The threshold value is a conservative estimate for the reliability of the secondary structure prediction [23]. In this study a value of 0.3 gave good results. The final output can be displayed as a color-coded dot plot (as shown in figures 4 and 5) or as a color-coded mountain plot (figure 6).

The virtue of this approach can be tested quite easily. In figure 4 we compare the predicted consensus structure for two sets of 2-error mutants of the same sequence. If all sequences fold into the same structure we obtain of course a perfect prediction that is supported by a small number of compensatory mutations. A set of randomly generated 2-error mutants does not lead to an acceptable prediction. Even this small amount of sequence heterogeneity leads to a quite diverse set of structures, and hence no unambiguous secondary structure is predicted. Our approach is therefore capable of distinguishing conserved secondary structure elements from pieces of sequence with high degrees homology but without conserved structural features.

Sometimes well-predicted stacked regions are interrupted by individual “holes” or show a single base pair with a few non-compatible sequences. While in many cases these features
Figure 4: An artificial example: Two samples of 2-error mutants of the tRNA-phe sequence were subjected to our procedure.

A square in row $i$ and column $j$ of the dot plot indicates a predicted pair $(i,j)$. Its size and color indicate the frequency and “credibility” of the base pair. The area of the square is proportional to the frequency $f_{ij}$ with which $(i,j)$ is predicted. Colors indicate the number of consistent mutations: ■ 1, □ 2, ▲ 3 different types of base pairs. Saturated colors, ■, indicate that there are only compatible sequences. Decreasing saturation of the colors indicates an increasing number of non-compatible sequences: ■ 1, □ 2 sequences that cannot form a $(i,j)$. If there are more than 2 non-compatible sequences the entry is not displayed.

Upper right triangle: The 29 sequences that fold into the familiar clover-leaf structure of tRNAs lead to a perfect reconstruction of the secondary structure, supported by a (small) number of compensatory mutations. 47 of the 76 sequence positions are conserved.

Lower left triangle: A sample of 20 randomly generated 2-error mutants of the tRNA-phe sequence of yeast does not produce a reasonable prediction of the clover leaf structure: One stack of the clover-leaf is not predicted at all, and another stack does not confirm the wild-type structure. In this sample we have 43 conserved positions. Note that the predictions are weak in this case, there are inconsistent mutants, and there is only a single compensatory mutation.

The comparison of the two data sets shows that our algorithm is very sensitive in detecting regions with non-conserved structure even in highly conserved sequences.
Figure 5: Comparison of predicted minimum energy structures in region A (around position 8000) of the HCV genome.

The color coding of the dot plot is explained in the caption of figure 4. The lower left part of the plot shows a conventional picture of the predicted structure. Base pairs marked in green have non-consistent mutations, circles indicate compensatory mutations.

The extended outer stem contains a number of compensatory mutations supporting its existence. Nevertheless, there are two “holes” and one bleached square that at first glance would tempt one to reject the prediction. A close examination shows, however, that the bleached green square belongs to a base pair that is almost always predicted, exhibits 3 different types of standard base pairs and is UU in a single sequence. As UU mismatches are perfectly stable within extended helices this observation does not contradict a predicted base pair. Similarly, the first hole (shown as a light grey circle in the figure) in this stem is AC in 4 sequences and forms three different types of base pairs, namely GC, GU, and AU. The second hole (large grey circle) is a conserved GA mismatch that might well be present in the secondary structure.
reflect structural variability or the existence of an internal loop, they can be attributed to non-standard base pairs in other cases. A rather convincing example is shown in figure 5.

3. Results

As first applications of our method we have investigated the minimum energy folding of 13 complete Hepatitis C (HPC) sequences, a sample of 13 complete HIV1 sequences and the S segment of 19 strains of Hantavirus (access codes are listed in the appendix). Minimum free energy structures of the complete HIV and HPC genomes were obtained on CalTech’s Intel Delta. For details of the parallel computer implementation of the folding algorithm see [17]. The Hanta sequences were folded using the serial version of the folding program, which uses a slightly more recent parameter set [55]. Multiple sequence alignments were obtained using CLUSTAL W. Both the folding outputs and the multiple alignments were processed without further modifications.

Hepatitis C sequences have chain lengths around 9500nt. The main differences in length stem from the 3'-end of the genome, where a poly-U region separates a 98nt sequence from the rest of the genome [30, 53]. This so-called X-tail is not present in the published “complete” genomes with a single (very recent) exception (Genbank accession number D85516). In this sequence we found no long range interactions involving the X-tail, and hence no evidence for the panhandle structure postulated in Figure 7B of [30]. We find that the poly-U region acts as a spacer causing the X-tail to fold as a separate domain. It is justified, therefore, to consider the main part of the genome (before the poly-U region) and the X-tail separately.

The length of the CLUSTAL W alignment of the main part of the genome, up to the poly-U, is 9538. Insertions or deletions appear in 267 positions before the poly-U. 4919 positions are conserved, the mean pairwise homology of sequences is 80%.

The 5’NCR has recently been studied using a combination of thermodynamic prediction and biochemical methods [5, 51, 21]. Unfortunately, the sequences at the 5’-end are highly
Figure 6: Predicted conserved minimum energy structure of region B (see figure 3) of the HCV genome. The color coding of the dot plot is explained in the caption of figure 4. The lower left part of the plot shows a conventional picture of the predicted structure. Circles indicate a compensatory mutation.

conserved (97% pairwise homology, 89% of the 342 positions are conserved). As a consequence of the very small sequence variation our approach is not much better than thermodynamic predictions on a single sequence in this case. We find most of hairpins appearing in the model of Brown [5], but predict no longer range base pairs.

A similar situation is encountered for the X-tail: From the 98 nucleotides only 5 show any sequence variability. There are only 3 different sequences on these 98nt among the 8 database entries currently available. Our data agree with three stem-loops predicted in [4, 26] based on chemical probing. It is also supported by two consistent mutations in the long helix at the very 3'-end.

We do, however, find convincing structural motifs within the coding region of the viral genome. Two examples of which are shown in figures 5 and 6. Although both regions have not been investigated before, the large number of compensatory mutations clearly indicates that these structural motifs are conserved.
The minimum free energy structures of the 13 sequences contain a total of 23186 base pairs. Preprocessing leaves only 2805 list entries. Of these, 432 entries are inconsistent with higher-ranking entries in the sorted list, 572 entries are removed because there are more than 2 inconsistent sequences, and the frequency $f_{ij}$ of 298 of the remaining base pairs is below the threshold value 0.3. This leaves us with 1503 pairs in the dot plots. Of these, 985 have only compatible sequences, 179 have a single incompatible sequence, 339 have two.

**Table 1.** Predicted Secondary Structure Elements.

<table>
<thead>
<tr>
<th></th>
<th>HPC</th>
<th>HIV 1</th>
</tr>
</thead>
<tbody>
<tr>
<td>Number of sequences $N$</td>
<td>13</td>
<td>13</td>
</tr>
<tr>
<td>min. sequence length</td>
<td>9400</td>
<td>9074</td>
</tr>
<tr>
<td>max. sequence length</td>
<td>9502</td>
<td>9292</td>
</tr>
<tr>
<td>Alignment length</td>
<td>9538</td>
<td>9535</td>
</tr>
<tr>
<td>Conserved positions</td>
<td>4919</td>
<td>4779</td>
</tr>
<tr>
<td>Average sequence homology</td>
<td>80%</td>
<td>83%</td>
</tr>
<tr>
<td>Different base pairs</td>
<td>23186</td>
<td>20667</td>
</tr>
<tr>
<td>Credible base pairs</td>
<td>1503</td>
<td>1121</td>
</tr>
<tr>
<td>1 consistent mutations</td>
<td>460</td>
<td>300</td>
</tr>
<tr>
<td>2 consistent mutations</td>
<td>80</td>
<td>44</td>
</tr>
<tr>
<td>3 consistent mutations</td>
<td>8</td>
<td>2</td>
</tr>
<tr>
<td>4 consistent mutations</td>
<td>2</td>
<td>0</td>
</tr>
</tbody>
</table>

As a second example we have re-analyzed a sample of HIV1 sequences from an earlier study [17]. The number of predicted conserved base pairs is similar to the Hepatitis C case, see Table 1 for details. In the following we discuss the automatically generated predictions for two well-understood secondary structure motifs, namely TAR and RRE, in some detail.

At the 5'-end of the viral HIV-1 RNA molecule resides the *trans*-Activating Responsive (TAR) element [2], which interacts with the regulatory Tat protein. The binding of the Tat protein to TAR is responsible for the activation and/or elongation of transcription of the provirus [12, 29]. On the basis of biochemical analysis [1] and computer prediction of the 5'-end of the genome it is known that the TAR region in HIV-1 forms a single, isolated stem loop structure of about 60 nucleotides with about 20 base pairs interrupted by two bulges.
Figure 7: The TAR structure of HIV1. Almost all predicted base pairs are consistent with all 13 sequences, most of them are predicted in at least 11 sequences. A large number of compensatory mutations supports the thermodynamic predictions. Our computed consensus structure (lower left) matches the structure determined by probing and phylogenetic reconstruction [1]. We display here the consensus dot plot, the classical secondary structure, and a mountain representation. The latter is a convenient alternative to dot plots for larger structural motifs. Base pairs are represented by slabs connecting the two sequence positions. The width and color of a slab corresponds to size and color of the corresponding dot plot entry.
This structure is indeed predicted in the minimum free energy structures of 11 of the 13 sequences analyzed here. The consensus prediction, figure 7, is identical to the structure reported in the literature.

The Rev response element (RRE), is an important conserved RNA structure that is located within the \textit{env} gene. The interaction of RRE with the Rev protein reduces splicing and increases the transport of unspliced and single-spliced transcripts to the cytoplasm, which
Figure 9: Consensus structures of the HIV1 RRE region from a set 13 sequences and from the 21 sequences reported in [17]. The main hairpins are present in both predictions, the only difference is hairpin IIa which is supported by a single compensatory base pair in the larger data set. The predictions agree very well with an experimentally supported structure [7] that also contains IIa. The sequence in the IIa region is conserved in the smaller data set, and purely thermodynamic considerations favor the short stack extending stack III in the right hand structure (this stem is called Iic in [39, 60]). Interestingly, earlier studies [24, 17] indicate a substantial structural versatility in this region which may explain minor disagreements between different published structures, e.g. [7, 39, 60].

is necessary for the formation of new virion particles [37].

A long stem-root structure (I) separates the binding region very well from the rest of the RNA. The long stem-loop structure furthermore indicates that the structure is easily accessible. The consensus secondary structure of the RRE in HIV-1 is a multi-stem loop structure consisting of five hairpins supported by a large stem structure [7], see figures 8 and 9. An alternative structure of only 4 hairpins, in which the hairpins III and IV of the consensus model merge to form one hairpin has also been proposed [39, 60]; it matches the minimum energy structure for some sequences, e.g. HIVLAI [24]. A comparison of minimum energy structures [17, 18] shows that there appears to be a third structure in which hairpin III is relatively large and a few of the other hairpins have disappeared.
from the minimum free energy structure. A comprehensive analysis of the base pairing probabilities in the RRE shows that the hairpins II, IV, and V, as well as the basis of hairpin III are meta-stable in the sense that they allow for different structures with comparable probabilities [25].

![Consensus structures for the minus strand of the S segment of hantavirus. The only consistently predicted structure is a panhandle formed by 5’ and 3’-ends.](image)

**Figure 10:** Consensus structures for the minus strand of the S segment of hantavirus. The only consistently predicted structure is a *panhandle* formed by 5’ and 3’-ends.

As a final example we consider the S segment of Hantavirus. The approximately 1700nt long S segment contains a single ORF encoding a nucleocapsid (N) protein. In contrast to other members of the family Bunyaviridae there is no evidence for a second non-structural (NSₙ) protein coded by the S segment. We used the 19 sequences listed in the appendix, which have a mean pairwise homology of 63.9%. The only detected structural feature in this case is a 19 base-pair stem-loop structure formed by the 5’ and 3’ ends.
This panhandle structure is highly significant: All sequences are compatible with the structure and it is part of the minimum energy prediction in 16 of the 19 minus strands and 14 plus strands. There are two positions which show compensatory mutations, see figure 10. The panhandle structure was postulated already in the eighties for all bunyaviridae [42, 49].

4. Discussion

We have presented a combination of secondary structure prediction based on thermodynamic criteria and sequence comparison that is capable of reliably identifying conserved structural features in a set of related RNA molecules. The method has been designed for routine investigations of large RNA molecules such as complete viral genomes. Indeed, the procedure does not require any interventions: Clustal W alignments and minimum energy structures (as obtained from the Vienna RNA Package or Zucker’s mfold [61]) can be used “as is”.

Conserved secondary structures are likely to be functional, thus our method can be used to find functional secondary structures. Since our method emphasizes sequence variation, it can complement other methods for finding functional RNA secondary structures based on thermodynamic prediction such as [33, 24].

We have applied this technique to complete genomes of three quite different species of RNA viruses: HIV-1, Hepatitis C virus (HPC), and the small segment of hantavirus. In all cases we have been able to identify most of the known secondary structure features. In addition, we predict a large number of conserved structural elements which have not been described so far.

We have designed our approach in such a way that it does not predict a structure for all parts of a molecule, the filtering procedure outlined in Methods is designed in such a way that only base pairs that may occur in almost all sequences and that are predicted in a sizeable fraction of the sequences will be accepted. It is not surprising, therefore, that the predicted RRE structures in figure 9 do not contain every single base pair of the published, experimentally supported structures. Rather, we obtain a subset of base pairs.
that is consistent with known features. This suggest that we are not producing a large number of false positives. On the other hand, we recover most of the structures described for both HIV-1 and HPC, as well as the panhandle structure of hantavirus.

Extensive computer analysis of the RRE region of HIV-1 and HIV-2 has shown that the sequence alignment does not completely coincide with the alignment at the level of the secondary structure [31]. This has two important implications: 1) methods that predict secondary structure of RNA on the basis of co-variation of positions within the sequence [14] cannot provide an unambiguous answer here, and 2) the RRE has structural versatility. As a consequence we obtain slightly different predictions for the conserved structure depending on the set of sequences used for the analysis. This structural versatility could also play a role in a single HIV clone. Using McCaskill’s algorithm [40] for predicting the matrix of base pairing probabilities we have indeed identified a spectrum of alternative structures for the RRE of HIV-LAI in a previous communication [24]. Similar features have been detected in the 3’NCR of flaviviruses [45, 38]. These facts make it worthwhile to generalize the present approach to using base pairing probability matrices instead of minimum energy structures despite the substantial increase in required computer resources. Preliminary data indicate a promising increase in the accuracy of predicted structures.

Acknowledgments

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Appendix

In this study we have used the following viral RNA sequences. Genbank accession numbers are given in parenthesis.

**HIV-1:**

HIVANT70 (M31171, L20587), HIVBCSG3C (L02317), HIVCAM1 (D10112, D00917), HIVD31 (X61240, X16109 U23487), HIVELI (K03454, X04414), HIVLAI (K02013), HIVMAL (K03456), HIVMVP5180 (L20571), HINVNDK (M27323), HIVOYI (M26727), HIVRF (M17451, M12508), HIVU455 (M62320), and HIVZ2Z6 (M22639).

**HPC:** complete genomes (except for the X-tail):

HCU16362 (U16362), HCU45476 (U45476), HPCCGAA (M67463), HPCCGENOM (L02836), HPCCGS (D14853), HPCEGS (D17763), HPCHCJ1 (D10749), HPCJ483 (D13558, D01217), HPCJRNA (D14484, D01173), HPCJTA (D11168, D01171), HPCK3A (D28917), HPCPP (D30613), and HPCRNA (D10934).

**X-tail sequences (accession numbers only):**

D63922, D67091, D67092, D67093, D67094, D67095, D67096, D85516.

The last sequence is a complete genome including the X-tail.

**Hantavirus sequences:**

AF004660, HNVNPSS, HVU37768, HNU32591, HSU29210, KHU35255, AF005727, PHU47136, PHVSSEG, PSU47135, PUUSNP, PUUVPIN83, PUUVPVRRT, PVSV84204, PVU22423, VRANICAS, RMU52136, HPSNUPR, TUVS5302.

The comparison algorithm described in section 3.3 is implemented as an ANSI C program **alidot**. It generates a text file with information on all predicted base pairs and a postscript file of the dot plot of the predicted conserved base pairs. Alternative representations, such as the aligned mountain plots, input files for XRNA [58] and post-processing of XRNA output is handled by a collection of perl scripts. This software is available upon request from the authors.
References


Hofacker et al.: Automatic Detection of Conserved RNA Structures


