Local RNA Motifs

Steffen Heyne

Institute of Computer Science Bioinformatics Group Albert-Ludwigs-University Freiburg

Bled, February 20, 2009



Motivation

- miRNAs and siRNAs mediate the downregulation of gene expression
- snoRNAs modify ribosomal RNAs
- snRNAs are part of the splicing machinery
- Ribozymes, rRNAs, tRNAs,...



2008:

- Rfam 9.0 (July 2008) contains 603 RNA families
- Rfam 9.1 (Jan. 2009) contains 1372 RNA families
- massively new sequence data due to pyrosequencing



Motivation

Basic analysis task: RNA comparison & homology search



Basic analysis task: RNA comparison & homology search



Functional RNAs conserve structural elements
 ⇒ Secondary structure is computationally tracktable



Examples for RNA motifs



Motivation

Examples for RNA motifs: SECIS elements



Putative SECIS elements in non-coding regions of *Methanococcus jannaschii*. (according to Wilting et al. 1997).



Examples for RNA motifs: IRES motifs in viruses



Two mfe structures of Hepatitis C Virus Internal Ribosomal Entry Sites (IRES). The five largest exact common substrutures are indicated. Motivation

Examples for RNA motifs: Rev response element (HIV)



Steffen Heyne (University Freiburg)

Local RNA Motifs

RNA decay motifs in yeast:



Fig. 2. mRNA decay motifs. (A and B) Fast- and slow-decaying mRNAs. Shown is the predicted motif (Left) and the sequence conservation profile, along with top-scoring motif examples (Right). The motif position is annotated in green, and the 5' end of the motif is circled. (C) Predicted motifs for RBPs mRNA targets. Shown are the motif consensus and sequence conservation profile. (D) Half-life distribution for the top 20% of targets of the Put proteins (blue line) and Pub1 (red line). Put targets have faster decay rates than Pub1 targets.

Rabani et al., 2008



Pairwise Comparison of RNA Secondary Structures with Exact Pattern Matchings



Common Substructures of two RNAs

Exact Pattern Matching (EPM):

- matching between sets of positions of two RNAs, EPM $\subseteq V_1 \times V_2$
- ordered matching, i.e. for all $(p,q), (p',q') \in \text{EPM}$ it holds that p < p' iff q < q' and p = p' iff q = q'.
- all pairs (p, q) ∈ EPM consist of similar nucleotides with equal structure type
- all base pairse are preserved
- each EPM is maximal
- the matching graph is connected





First step: finding EPMs

- Backofen/Siebert algorithm¹: ⇒input: two RNAs with primary and secondary structure ⇒output: set of all overlapping and crossing EPMs (*E*), "library" denoted as E^{1,2}_γ, fast: O(nm)!
- maximal O(nm) different EPMs
- each pair $(p,q) \in \mathcal{E}$ is unique in $\mathbf{E}_{\gamma}^{1,2}$
- γ denotes the minimal EPM size



¹Rolf Backofen and Sven Siebert. Fast Detection of Common Sequence Structure Patterns in RNAs. Journal of Discrete Algorithms, 5(2):212-228, 2007.

Steffen Heyne (University Freiburg)

Second step:

- we want to find a "meaningful" subset of EPMs from a library Ε^{1,2}_γ
 - \rightarrow exclude overlapping and crossing EPMs
 - \rightarrow selected EPMs have to be nested
 - \rightarrow our algorithm computes the maximal possible set of EPMs (LCS-EPM)





The Longest Common Subsequence of Exact Pattern Matchings

... is the problem to find a longest common subsequence which preserves the EPMs in a library $\mathbf{E}_{\gamma}^{1,2}$ over two RNAs, i.e. finding a mapping $\mathcal{M}_{\text{EPM}} \subseteq V_1 \times V_2$ of maximal length such that:

- 1 for each pair $(p, q) \in \mathcal{M}_{\mathsf{EPM}}$ there exists one EPM in $\mathbf{E}_{\gamma}^{1,2}$: $\forall (p,q) \in \mathcal{M}_{\mathsf{EPM}} : \exists \mathcal{E} \in \mathbf{E}_{\gamma}^{1,2}$ with $(p,q) \in \mathcal{E}$ and $\mathcal{E} \subseteq \mathcal{M}_{\mathsf{EPM}}$
- *M*_{EPM} is a bijective mapping and preserves the order of the nucleotides:
 ∀(p, q), (p', q') ∈ *M*_{EPM} : p = p' ⇔ q = q', p < p' ⇔ q < q'



Note: \mathcal{M}_{EPM} is an arc-preserving subsequence!



Bounds and holes:



given EPM $\mathcal{E} \in \mathbf{E}_{\gamma}^{1,2}$ of size k = 18:

pattern $\mathcal{P}_1 = \langle \mathbf{3}, 4, 5, \mathbf{6}, \mathbf{14}, 15, 16, 17, 18, 19, 20, 21, 22, \mathbf{23}, \mathbf{34}, 35, 36, \mathbf{37} \rangle$ in \mathcal{R}_1 pattern $\mathcal{P}_2 = \langle q_1, q_2, ..., q_k \rangle$ in \mathcal{R}_2

left-outside-bounds: right-outside-bounds: inside-bounds:

holes:

$$\begin{split} \mathsf{LEFT}_{\mathcal{E}} &= (3, q_1), \ \mathsf{LEFT}_{\mathcal{E}}^1 = 3 \\ \mathsf{RIGHT}_{\mathcal{E}} &= (37, q_{18}), \ \mathsf{RIGHT}_{\mathcal{E}}^1 = 37 \\ \mathsf{IN}_{\mathcal{E}} &= \{ \langle (6, 14), (q_4, q_5) \rangle, \langle (23, 34), (q_{14}, q_{15}) \rangle \} \\ \mathsf{HOLES}_{\mathcal{E}}^1 &= \{ \langle 7, 13 \rangle, \langle 24, 33 \rangle \} \end{split}$$



f 1 treat each EPM only at its right-outside-bounds RIGHT $_{\cal E}$

2 compute score of each "hole" recusively and combine it with score before left-outside-bounds ${\sf LEFT}_{\mathcal E}$

 \longrightarrow would lead to a 4-dimensional matrix





f 1 treat each EPM only at its right-outside-bounds RIGHT $_{\cal E}$

2 compute score of each "hole" recusively and combine it with score before left-outside-bounds ${\sf LEFT}_{\mathcal{E}}$

 \longrightarrow would lead to a 4-dimensional matrix

Better idea:

1 sort holes according to their size: $h_i \preceq_{\text{HOLES}^1} h_j \iff (r_i^1 - l_i^1) \le (r_j^1 - l_j^1)$





f 1 treat each EPM only at its right-outside-bounds RIGHT $_{\cal E}$

2 compute score of each "hole" recusively and combine it with score before left-outside-bounds ${\sf LEFT}_{\mathcal{E}}$

 \longrightarrow would lead to a 4-dimensional matrix

Better idea:

- **1** sort holes according to their size: $h_i \preceq_{\mathsf{HOLES}^1} h_j \iff (r_i^1 l_i^1) \le (r_j^1 l_j^1)$
- 2 start computing with the smallest hole → no uncomputed holes inside → left ends of current hole is fixed → only 2-dimensional matrix



Complexity

- maximal O(nm) different holes in $\mathbf{E}_{\gamma}^{1,2}$
- O(nm) matrix for each hole
- \Rightarrow worst case complexity: $O(n^2m^2)$ time and O(nm) space
- \Rightarrow "real case": $O(H \cdot nm)$ time since $H \ll n \cdot m$ (H: #holes)



Results

Application scenarios:

- Comparative RNA sequence analysis
- 2 Filtering/ speedup method for expensive Sankoff-style RNA alignments

 \Rightarrow here common subtructures from LCS-EPM are used as

"structural" anchor constraints









LCS-EPM for two RNAse P RNAs, length: 117, $\gamma = 3$ left: E.coli (A-type, 378nt), right B. subtilis (B-type, 402nt)



Comparison with other alignment methods:

	IRES RNAs #matches coverage		time	16S rRNAs #matches coverage		time
ExpaRNA	175	45%	0.97 <i>s</i>	875	57%	16.9s
RNA_align	192	50%	62.1 <i>s</i>	861	56%	1h35m
RNAforester	128	33%	5.41 <i>s</i>	847	55%	7m25s
comparison #c			IRES RNAs 16		16S r	RNAs
			ommon matches #common		#common ma	atches
ExpaRNA & RNA_align			159 (82.8%)		688(79.9%)	
ExpaRNA & RNAforester			103 (80.5%)		700(82.6%)	

Table: Comparison of the number of found exact matchings by LCS-EPM and two alignment methods. *#common matches* defines the number of identical matched nucleotides of ExpaRNA and the other methods. (AMD Opteron 2.2 GHz 20GB)



Speeding-up Sankoff-style alignment methods with anchor contraints predicted by ExpaRNA

Idea: use LCS-EPM as "structral" anchor constraints
 ⇒ predicted anchors restrict search space of a full alignment algorithm





Speeding-up LocARNA with anchor contraints predicted by ExpaRNA





Speeding-up LocARNA with anchor contraints predicted by ExpaRNA



Figure: (left) Obtained alignment qualities for different minimal EPM sizes γ in comparison to LocARNA and Lara on Bralibase 2.1 k2 dataset (8976 alignments). (right) Achieved speedup of ExpLoc with respect to LocARNA running time when using different minimal EPMsizes γ . Total times were measured for both methods when applied to all alignments of the Bralibase 2.1 k2 dataset.



Speeding-up LocARNA with anchor contraints predicted by ExpaRNA







Summary:

- Common substructures useful for comparative RNA analysis
- Prefiltering for time-consuming sequence-structure comparison methods (use LCS-EPM as anchor constraints for a gapped global alignment)

Drawbacks:

• ExpaRNA is based on a fixed secondary structure

Improvements and future work:

- improved scoring function (ensemble probabilities/ accuracy)
- Gap cost function, local version

Tool available: ExpaRNA (www.bioinf.uni-freiburg.de/Software)

Publ.: Heyne et al., Bioinformatics, 2009



Finding local RNA Motifs



Motivation:

- RNA sequence-structure alignment methods not applicable in a genome wide scale
- Local RNA motifs usful as anchor constraints, but a fixed (mfe) secodary structure is not realistic (mRNAs, ...)
- In mRNAs probably exist many different RNA motifs for protein binding, colocalization etc.

 \Rightarrow How to find local, but highly probable RNA motifs?



Problem: alternative structures





Steffen Heyne (University Freiburg)

Local RNA Motifs

Problem: genome wide RNA analysis



RNAplfold dot-plot, part of Synechococcus PCC7002 genome



Probability of Substructures:

- Product of probability of its elements
- Example: 2 base pairs with P(i,j) = 0.8, P(i',j') = 0.7 $\Rightarrow P((i,j) \land (i',j')) = 0.56$
- Problem: the more elements you add, the lower is the probability of the substructure





• Sum up probabilities of a substructure with recursion:

$$S_{i,j} = \max \begin{cases} S_{i-1,j-1} & +P^{bp}(i,j) \\ S_{i+1,j} & +\alpha \cdot P^{ss}(i) \\ S_{i,j-1} & +\alpha \cdot P^{ss}(j) \end{cases}$$

• Overall score of motif $S_{i,j}$ is defined via its accuracy:

$$\textit{Acc} = rac{\textit{S}_{i,j}}{\delta + \textit{length}(\textit{S}_{i,j})^{\textit{deg}}}$$

- Start value: δ , degression: deg
- Traceback returns best and suboptimal motifs
- Branching motifs are possible

Current status:

- Draft implementation in perl
- Works with RNAfold, RNAalifold and RNAplfold dotplots
- Structural local motifs also possible (incomplete subsequences)



Index-Based Fast Search of RNAs



Motivation:

- Massively increasing sequence data (deep sequencing)
- Matching/Searching within large sequence databases: BLAST ⇒ but nothing similar for RNAs
- Finding similar RNAs below 75% APSI: sequence-structure alignment methods necessary
- Sophisticated methods exists (CompAlign, CMfinder, LocARNA, ...), but they are computationally very expensive



- Index-based fast search engine
- Data structure: Affix-Array

 \Rightarrow index data structure that allows efficient solving of bidirectional search problems (extension to the left AND right) \rightarrow suffix-based index structure allows only left-to-right pattern matching



 $^{^2}$ "The affix array data structure and its applications to RNA secondary structure analysis.", Theor. Comput. Sci. 389(1-2): 278-294, 2007)

- Index-based fast search engine
- Data structure: Affix-Array

 \Rightarrow index data structure that allows efficient solving of bidirectional search problems (extension to the left AND right) \rightarrow suffix-based index structure allows only left-to-right pattern matching

- Affix array: Suffix array + reverse prefix array + link table
- Affix arrays are as powerful as affix trees, but consume less memory (16-18 bytes per input symbol)



 $^{^2}$ "The affix array data structure and its applications to RNA secondary structure analysis.", Theor. Comput. Sci. 389(1-2): 278-294, 2007)

- Index-based fast search engine
- Data structure: Affix-Array

 \Rightarrow index data structure that allows efficient solving of bidirectional search problems (extension to the left AND right) \rightarrow suffix-based index structure allows only left-to-right pattern matching

- Affix array: Suffix array + reverse prefix array + link table
- Affix arrays are as powerful as affix trees, but consume less memory (16-18 bytes per input symbol)
- Matching engine: first available implementation of theoretical ideas presented by Dirk Strothmann², C++ library implemented by Michael Beckstette and Fernando Meyer



 $^{^2}$ "The affix array data structure and its applications to RNA secondary structure analysis.", Theor. Comput. Sci. 389(1-2): 278-294, 2007)

1 Extract conserved motifs from an RNA family (alignment)

∜

 Generate descriptors for search engine (wildcards allowed, 2-3 bases specified)



1 Extract conserved motifs from an RNA family (alignment)

∜

∜

- Generate descriptors for search engine (wildcards allowed, 2-3 bases specified)
- 3 Get matchings in database from index-based search engine



1 Extract conserved motifs from an RNA family (alignment)

∜

 \downarrow

- Q Generate descriptors for search engine (wildcards allowed, 2-3 bases specified)
- 3 Get matchings in database from index-based search engine \Downarrow
- 4 Take all regions where mathings occur in similar ordering (chaining)



1 Extract conserved motifs from an RNA family (alignment)

1

 \downarrow

- Q Generate descriptors for search engine (wildcards allowed, 2-3 bases specified)
- 3 Get matchings in database from index-based search engine \Downarrow
- (4) Take all regions where mathings occur in similar ordering (chaining) \Downarrow
- 6 Align region against original RNA family with expensive methods like CompAlign, LocARNA, ...



Examples:

	Time in ms (393MB)*		
Descriptor	Index-based	Naïve	
*******A**CUG*C*******			
((((((((()))).))))	197,3209	5.296,7504	
GG**A**CUG*C******C			
((((.((()))).))))	131,8251	5.299,6662	
GG*GGGACUG*CCCU*CC*C			
((((.((()))).))))	13,8771	5.297,3132	
GUGGCGGGAAACUGGCCCUCCCAC			
((((.((()))))))))	0,2655	4.709,6669	

Database: ftp://ftp.ncbi.nih.gov/genomes/H_sapiens/RNA/rna.fa.gz and random subsets, AMD Opteron 2,6 GHz, 64 GB



Open Questions

- How to define good descriptors? What are they based on (Rfam seed alignments, RNAalifold consensus structure/ dot-plot, ...)?
- Probably several descriptors needed for one RNA family as well as alternative descriptors for a specific region
- Incorporate Hamming distance matching (insertions/ deletions)



Thank you for your attention!

Acknowledgment

Sebastian Will Michael Beckstette Rolf Backofen

...the BLED organizers!

...and all other members of the bioinformatics group in Freiburg!

This work has been supported by the Federal Ministry of Education and Research (BMBF grant 0313921 FORSYS/FRISYS) and the German Research Foundation (DFG grant BA 2168/2-1 SPP 1258).